

ON-LINE COMPUTATION OF CARDIAC OUTPUT
FROM THERMO-DILUTION CURVES

BY

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ABSTRACT

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A knowledge of cardiac output and other associated parameters is of vital importance in the management of critically ill patients. As a result of detailed investigations, a number of techniques have been suggested for their determination. Prior to the advent of computing machines, the procedures for the determination of cardiac output and related hemodynamic parameters were tedious and subject to inconsistencies. This restricted repeated measurements for their determination over a short interval of time and furthermore results were not immediately available.

However, recent advances in computing machines and computation algorithms have made it possible to determine the above parameters to a high degree of accuracy using computers.

The object of the research of this thesis is to use a mini digital computer for on-line computation of cardiac output, using an existing technique for its determination, called the thermo-dilution technique. A major advantage of this procedure, is that it enables repeated measurements of cardiac output to be made during therapy and results from each measurement is available immediately.

The computer used is a NOVA-1220 mini digital computer, a member of the NOVA family of computers. The computer program for data acquisition and processing is developed in the assembly language of the NOVA computers.

The scope of the thesis includes, verifying a mathematical procedure for fitting the family of curves represented by the equation

$$f(t) = k (t - t_a)^{\alpha} e^{-\beta/(t-t_a)}$$

to the experimental curve; design of system software and comparison of results obtained to those determined from standard procedures.

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CHAPTER I

INTRODUCTION

The necessity for accurate information about cardiac output and related hemodynamic parameters as aids during cardiovascular investigations has prompted development of sophisticated techniques for their determination. The advent of Digital / Analog Computers has helped the computation of these parameters to a high degree of accuracy. It has also circumvented the tediousness and inexact results obtained from calculating the cardiac output with the use of a planimeter or replotting on logpaper.

Skinner, R.L., and Gehmlick, D.K. [1] have investigated the use of analog computers as aids for heart ailment diagnosis. Following this the development of a special purpose cardiac output computer for the rapid analysis of indicator dilution curves has been reported by Moody, N.E., Barber, H.D., and Holmlund, B.A. [2]. Further successful attempts have been made by Hirashi, H. Hara and J. Welson Bellville [3], for on-line computation of cardiac output from dyedilution curves using a general purpose analog computer. In the above report the authors use a Colson cuvette densitometer which yields an output voltage proportional to the dye concentration in the blood to obtain the dye-dilution curve. This is reshaped by removing the undesirable recirculation hump and the cardiac output is then determined by computing the area under this reshaped curve. However, Hepner, G.V., J.E. Jacobs et. al. [4] have described a suitable method for automatic computation of the area under the indicator dilution curves in the presence of recirculation. The method is based on an assumed exponential form for the downslope which allows the total area under the primary curve to be computed as the sum of two areas.

Hans, U. Wessel, Charles, F. Hepner, et. al. [5] have designed an analog computer for on-line computation of the area under the indicator dilution curves using the method presented by Hepner, C.F., et. al. [4]. Furthermore, the above report defines the accuracy and limitations of the instrument from evaluating the performance of the analog computer by digital computer analysis of dye-dilution curves. The drawback of such a system lies in the fact that, accurate results can be expected only if the downslope of the dilution curve decays exponentially before the onset of recirculation. Several other methods which use the analog computer for on-line computation of the cardiac output are available [6], [7].

Advances in software have widened the applicability of digital computers for the analysis of real-time problems. A study of dye-dilution curve using a digital computer has been presented by P. Sekel, J., G.R. Tait and M.M. Nathanson [8]. In the above report, the computer was programmed to analyse the recorded dye-dilution curve and estimate the area under the curve using Dow's formula [10]. More recent studies [8], [29] treat the indicator concentration as a Gamma variate, and use a digital computer for estimation of the cardiac output. C. Frank, Starmer and David O. Clark [9] suggest a numerical technique for analysis of the indicator-dilution curve.

THE PROBLEM

The development of an efficient algorithm and system software for real-time processing of thermal dilution curves, to determine the cardiac output and cardiac index during therapy, using a mini digital computer is the basis of this study.

Hitherto, the appearance time of the thermal indicator following injection, in the temperature-time curve, also called the

thermo-dilution curve, has been treated as an observed quantity, introduced into the computer program as input or estimated by the method of moments. This study treats the appearance time as a variate and its value is determined during the real-time processing of the thermo-dilution curve. This technique lessens the necessity for a perfectly flat baseline. The reproducibility of measurements over short intervals of time makes the above technique highly useful during cardiovascular investigations.

The software has been developed in the assembly language of the NOVA family of mini computers. The physiological aspects for the problem are discussed in Chapter II. The algorithm for on-line computation of cardiac output from thermo-dilution curves and the necessary software are discussed in Chapter III and Chapter IV of this thesis. These are followed by discussions about system testing and system validation, in Chapter V and Chapter VI respectively. Finally conclusions drawn from studies in vitro are reported.

CHAPTER II

PHYSIOLOGICAL CONSIDERATIONS

Techniques for the Determination of Cardiac Output

Cardiac output is defined as the amount of blood flow per unit time usually expressed in liters/min. An associated parameter known as the cardiac index is defined as the ratio of the cardiac output to the body surface area. The body surface area is determined from nomograms or from the following Dubois and Dubois height-weight equation

$$\text{Body Surface area} = 71.84 w^{0.425} H^{0.725} \dots (1)$$

where

w is expressed in Kg.

H in cm and BSA in m^2 .

Invasive and non-invasive methods are the primary means for determining the cardiac output. One of the non-invasive methods is explained by Chen F. Lam and Arno R. Hohn [28], where the rate of change of impedance between two electrodes placed around the neck and xyphoid process is recorded with an impedance plethysmograph. Based upon certain decision rules, a computer is programmed to determine the minimum value of the rate of change of impedance and the choice of the cardiac cycle for the calculation of cardiac output using the following equation:

$$C.O = \frac{RL^2}{1000} \left\{ \frac{2}{10} TH \left(\frac{dz}{dt} \right)_{\min} \right\} \dots (2)$$

where

R = resistivity of blood

L = mean distance in cms between the recording electrodes

T = the ventricular ejection time in seconds

H = Heart rate

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$\left(\frac{dz}{dt}\right)_{\min}$ = is the minimum value of $\frac{dz}{dt}$ during a cardiac cycle

Z_0 = the mean body impedance between recording electrodes

The disadvantage with the above non-invasive technique for determination of cardiac output during therapy lies in the calibration of the impedance determination. Also the values of R , L and z_0 vary from person to person and therefore the number of unknowns to be input to an on-line computing system is more, thereby causing a delay in the availability of the final results. Accordingly non-invasive techniques are not frequently used during therapy for determination of cardiac output.

Several invasive methods have been described elsewhere [10] for the determination of the cardiac output. One of the methods uses an indirect respiratory procedure, and is called the DIRECT FICK method. In this method the cardiac output is expressed as a ratio of the total oxygen consumption (in ml/min) to the difference in O_2 content between the arterial and mixed venous blood, usually expressed in volume percent. The inherent disadvantages of this technique is overcome in the Injection Method. In this method, a known quantity of a foreign substance is introduced into the vascular system and a time-concentration curve is recorded. The cardiac output is then determined by computing the area under the curve using a planimeter or by numerical techniques.

Several studies using the indicator and dye solutions in the injection method have been done [11], [20]. The disadvantage of this technique for on-line computation is in the recirculation of the injectate, which makes the determination of the end of disappearance the a uncertainty. This problem is overcome by a more recent development called the Thermodilution technique.

Principle of Thermodilution Technique:

A known quantity of a cold indicator solution is injected into the superior vena cava or the right atrium and the blood temperature measured in the pulmonary artery as a function of time. From this information the cardiac output is calculated as follows.

Let V_I be the volume of injectate with specific heat SH_I and specific gravity SG_I at temperature T_I . In accordance with these, let SH_B , SG_B and T_B represent the specific heat, specific gravity and the temperature of the blood. Assuming that there is no transfer of heat between the surrounding tissues, we can write the following heat equation

Heat Injected = Heat detected.

$$V_I \times SH_I \times SG_I \times (T_B - T_I) = C.O \times \Delta T \times t \times SH_B \times SG_B \times \frac{1000}{60} \dots (3)$$

- where ΔT = Average change in temperature
- t = duration of temperature change
- and $C.O$ = Cardiac output.

The term $\Delta T \times t$ is the area under thermodilution curve given by $\int_0^t \Delta T_B(t) dt$. Substituting this in equation (3) and solving for $C.O$ we get,

$$C.O = \frac{V_I \times SH_I \times SG_I \times (T_B - T_I)}{SH_B \times SG_B \times \int_0^t \Delta T_B(t) dt} \times \frac{60}{1000} \text{ L/min} \dots (4)$$

Technique:

The method involves the placement of a single flow directed catheter into the pulmonary artery. The catheter is positioned using pressure measurements. This permits measurements of the

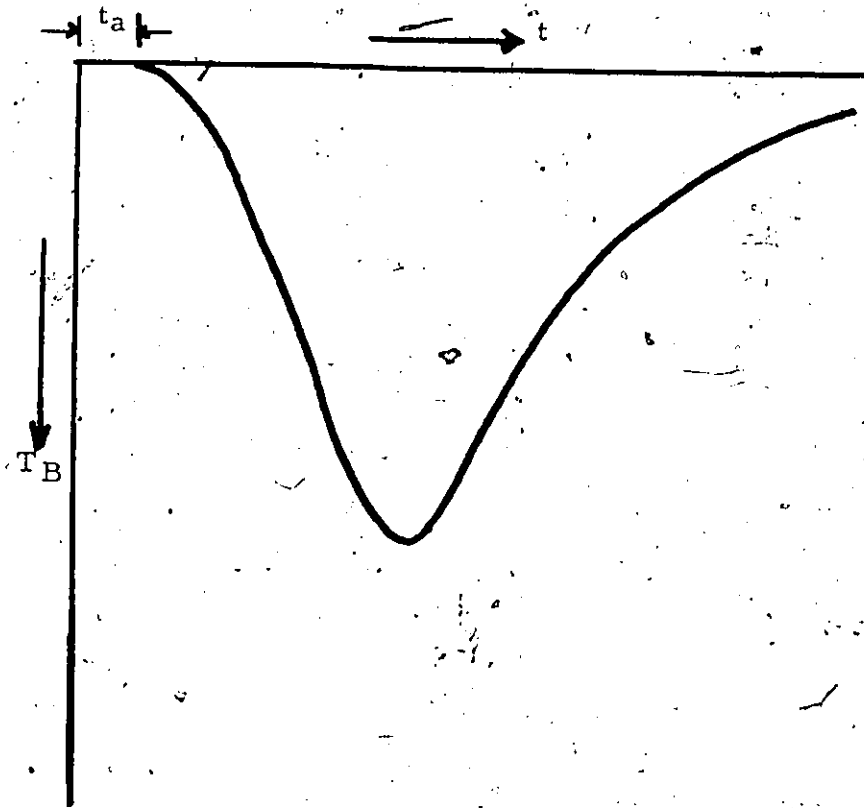


Figure 1.

Thermo-dilution Curve

temperature change of the pulmonary blood following injection of the cold dextrose solution, and the pulmonary artery pressure.

A standard No. 7F catheter is made of polyvinyl chloride and measures 110 cm the length and 2.3 mm in outer diameter. It is constructed in such a way that the body is divided into four lumina along the long axis. One lumen connects directly to a small latex balloon fastened 1 mm from the catheter tip. When inflated with air, the balloon extends just beyond the catheter tip, converting the tip into a broad soft surface. A thermistor is placed at the tip of the second lumen just proximal to the balloon, and its fine insulated wires extend the length of the lumen. The thermistor measures the change in pulmonary blood temperature produced by the injection of the cold fluid into the right atrium. The third lumen terminates about 30 cm from the tip of the catheter, such that, when the catheter tip is in the pulmonary artery, the end of the third lumen is in the right atrium. This lumen is also called the proximal lumen. It is used for injecting cold solution and obtaining right atrium pressure. The fourth lumen called the Distal lumen, extends the entire length of the catheter to its tip. This is used for monitoring pulmonary artery pressure and for the withdrawal of blood samples.

James S. Forrester et. al. [21], describe in detail the catheterization technique. After the catheter tip is properly positioned in the pulmonary artery, a known amount of cold indicator solution, usually 0.5 % dextrose is injected into the right atrium through the proximal lumen of the catheter. The difference between the pulmonary artery blood temperature and the normal body temperature is continuously recorded. The cardiac output is inversely proportional to the integral of the temperature difference.

The above technique was introduced by Fegler [22] as a method for the measurement of volumetric blood flow-rate.

Since then a number of investigators [23] , [27] have made series of measurements of cardiac output using cold and room temperature injectates and report close agreement with those obtained from dye-dilution and direct Fick methods.

Some of the advantages of the thermo-dilution technique are: the absence of recirculation, which makes the method suitable for on-line computations, and also enables repeated measurements over short intervals of time. It does not require withdrawal of blood during measurements and removal of blood for calibration. The use of the flow directed catheter allows for simultaneous measurements of related hemodynamic parameters. Even with low flow rates, accurate cardiac output determination may be obtained.

A major criticism of the technique is based on the uncertainty in the injectate temperature and heat transfer to and from the surrounding tissues. The former is minimized by keeping the distance between the site of injection and sampling as short as possible without affecting the complete mixing of the injectate and blood. Fluctuations of the base line temperature in the pulmonary artery with respiration is an associated problem with the determination of cardiac output by thermo-dilution. It represents a physiologic noise. This is partly overcome by the injection of more thermal indicator.

Repeated measurements made on animals have proved the consistency of the thermo-dilution technique and has become a routine method for the determination of cardiac output in man .

CHAPTER III

ALGORITHM FOR ON-LINE COMPUTATION OF CARDIAC OUTPUT

The procedure is developed on the hypothesis that the change in the pulmonary blood temperature will be a gamma variate. The family of curves represented by the following function.

$$c(t_i) = k(t_i - t_a)^a e^{-(t_i - t_a) / \beta} \quad (t_i \geq t_a) \quad \dots (5)$$

where k , a and β are arbitrary parameters, t_a is the appearance time and $c(t_i)$ is the indicator concentration at time t_i ; has been shown [29] to give excellent curve fits to indicator dilution curves.

The virtual absence of recirculation in the thermo-dilution method helps to simplify similar techniques for fitting equation (5) to the thermo-dilution curves. A weighted least square method [Appendix I], is employed to fit equation (5) to the thermo-dilution curves. The parameters of the function are determined by computing the following expressions:

$$X1S = A_{11} = SX1S - \frac{(SX1)(\bar{SX1})}{SW} \quad \dots (6)$$

$$X12 = A_{12} = A_{21} = SX12 - \frac{(SX1)(SX2)}{SW} \quad \dots (7)$$

$$X2S = A_{22} = SX2S - \frac{(SX2)(SX2)}{SW} \quad \dots (8)$$

$$X1Y = A_{1Y} = SX1Y - \frac{(SX1)(SY)}{SW} \quad \dots (9)$$

$$X2Y = A_{2Y} = SX2Y - \frac{(SX2)(SY)}{SW} \quad \dots (10)$$

where,

$$SX1 = \sum_{i=1}^n w_i x_{i1} \quad \dots (11)$$

$$SX1S = \sum_{i=1}^n w_i x_{i1}^2 \quad \dots \quad (12)$$

$$SX12 = \sum_{i=1}^n w_i x_{i1} x_{i2} \quad \dots \quad (13)$$

$$SX2 = \sum_{i=1}^n w_i x_{i2}^2 \quad \dots \quad (14)$$

$$SX2S = \sum_{i=1}^n w_i x_{i2}^2 \quad \dots \quad (15)$$

$$SX1Y = \sum_{i=1}^n w_i x_{i1} y_i \quad \dots \quad (16)$$

$$SX2Y = \sum_{i=1}^n w_i x_{i2} y_i \quad \dots \quad (17)$$

$$SY = \sum_{i=1}^n w_i y_i \quad \dots \quad (18)$$

$$SW = \sum_{i=1}^n w_i \quad \dots \quad (19)$$

From the above expressions the parameters are determined using the following equalities :

$$D = (X1S)(X2S) - (X12)(X12) \quad \dots \quad (20)$$

$$\text{ALPHA} = \alpha = \frac{(X2S)(X1Y) - (X12)(X2Y)}{D} \quad \dots \quad (21)$$

$$-\frac{1}{B} = \frac{(X1S)(X2Y) - (X12)(X1Y)}{D} \quad \dots \quad (22)$$

$$XM = \mu = (SY - (\text{ALPHA})(X1S) - \frac{1}{B}(X2S))/SW \quad \dots \quad (23)$$

$$k = e^{XM} \quad \dots \quad (24)$$

with these values of k , α and β , the area under the thermo-dilution curve is computed using the relation

$$\int_0^{\infty} c(t_1) dt = k \beta^{\alpha+1} \Gamma(\alpha+1) \quad \dots \quad (25)$$

The following steps of the algorithm are invoked after positioning the catheter tip in the pulmonary artery.

The initial blood temperature is recorded. Then 10 cc of ice cold dextrose solution is injected into the pulmonary circulation system through the proximal lumen of the catheter. The temperature of the blood in the pulmonary artery is sampled at $\frac{1}{10}$ th of a second interval in time. This sampling rate is determined by the available frequencies of the real time clock, of the NOVA family of computers, for I/O transfers and on the memory requirements for storing the sampled data. Since higher sampling rates would necessitate large memory requirements, a low sampling rate is chosen.

The change in temperature of the blood in the pulmonary artery with respect to its initial temperature, over the sampling duration in time is computed. A plot of this temperature difference vs time interval of sampling is the thermo-dilution curve. The appearance time of the thermal indicator is then determined by first computing the standard deviation σ , of the initial signal which corresponds to the normal temperature of the blood. A point on the thermo-dilution curve whose standard deviation is $4(\sigma + 1)$ is determined. From this point the sampled data is retraced back till the standard deviation is less than or equal to σ . This point is assumed to be the beginning of the appearance of the thermal indicator, and the interval between this point and the origin is taken to be the appearance time t_a .

A weighted least squares method is then used to determine the values of the parameters of the equation (4), and using the relation given by equation (25), the area under the thermo-dilution curve is computed. The cardiac output is inversely proportional to the area under the curve, and is determined from the following equation

$$C.O. = \frac{1.08 \times 0.825 \times 60 \times V_I \times (T_B - T_I)}{\int_0^{\infty} \Delta T_B(t) dt} \text{ m}^L/\text{min} \dots (28)$$

where

$$1.08 = \frac{SG_I \times SH_I}{SG_B \times SH_B}$$

0.825 = correction factor for injectate temperature raise after injection.

V_I = 10 mL volume of injectate

T_B = Initial blood temperature ($^{\circ}C$)

T_I = Initial injectate temperature ($^{\circ}C$)

and

$$\int_0^{\infty} \Delta T_B(t) = \text{Area under the thermo-dilution curve.}$$

The cardiac index is computed by dividing the cardiac output by the body surface area (BSA), which is obtained from nomograms or calculated using equation (1). A flow diagram of the above algorithm is given in figure 2. For repetitive measurements of cardiac output and cardiac index, the steps following injection of the cold indicator solution are repeated.

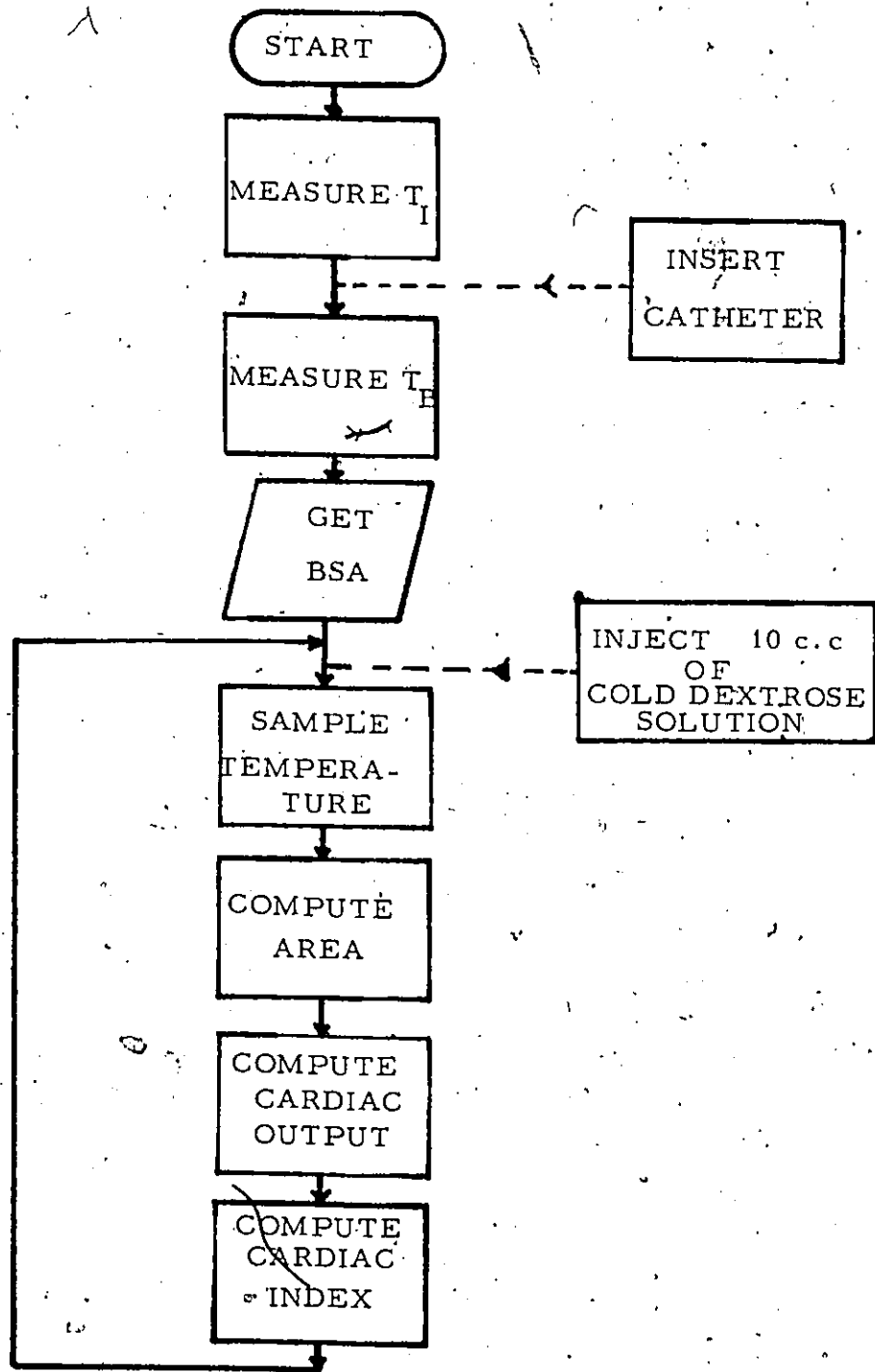


Figure 2

Flow Diagram for the On-Line Computation of Cardiac Output From Thermo-Dilution Curves.

CHAPTER IV

SOFTWARE DEVELOPMENT

An on-line system may be defined as a system in which the operation of its components are under the control of the central processing unit of the computer. If the time scale of the computer is far less than that of the system, the term 'Real-time' is sometimes used. The system for determining the cardiac output and related hemodynamic parameters, from thermo-dilution curves, is developed in accordance with the above definitions. As in any on-line system, the computer is treated as a unit in the system which can be modified or taken out and replaced by a bigger and faster unit to increase the capacity of the system. Use of the NOVA computer and development of the software in its assembly language makes such a flexibility feasible, because of the availability of a range of compatible NOVA computers.

In programming an on-line or real-time computer system, as in any complex computer installation, three kinds of programs are needed; supervisory programs, application programs and support programs.

The supervisory programs co-ordinate and schedule the work of the applications program and carryout service functions for them. In a complex system, the many application programs can be considered as subroutines of the main supervisory program. The supervisory programs handle I/O operations and service interrupt requests. They also carryout queueing of messages and data, and deal with error conditions.

In a single user system dedicated to a particular task, as is the case for the on-line computation of cardiac output from thermo-dilution curves, the above function of the supervisory programs are minimal and can be treated as part of the application program of the system. Figure 3 is a flow diagram of the application programs for on-line

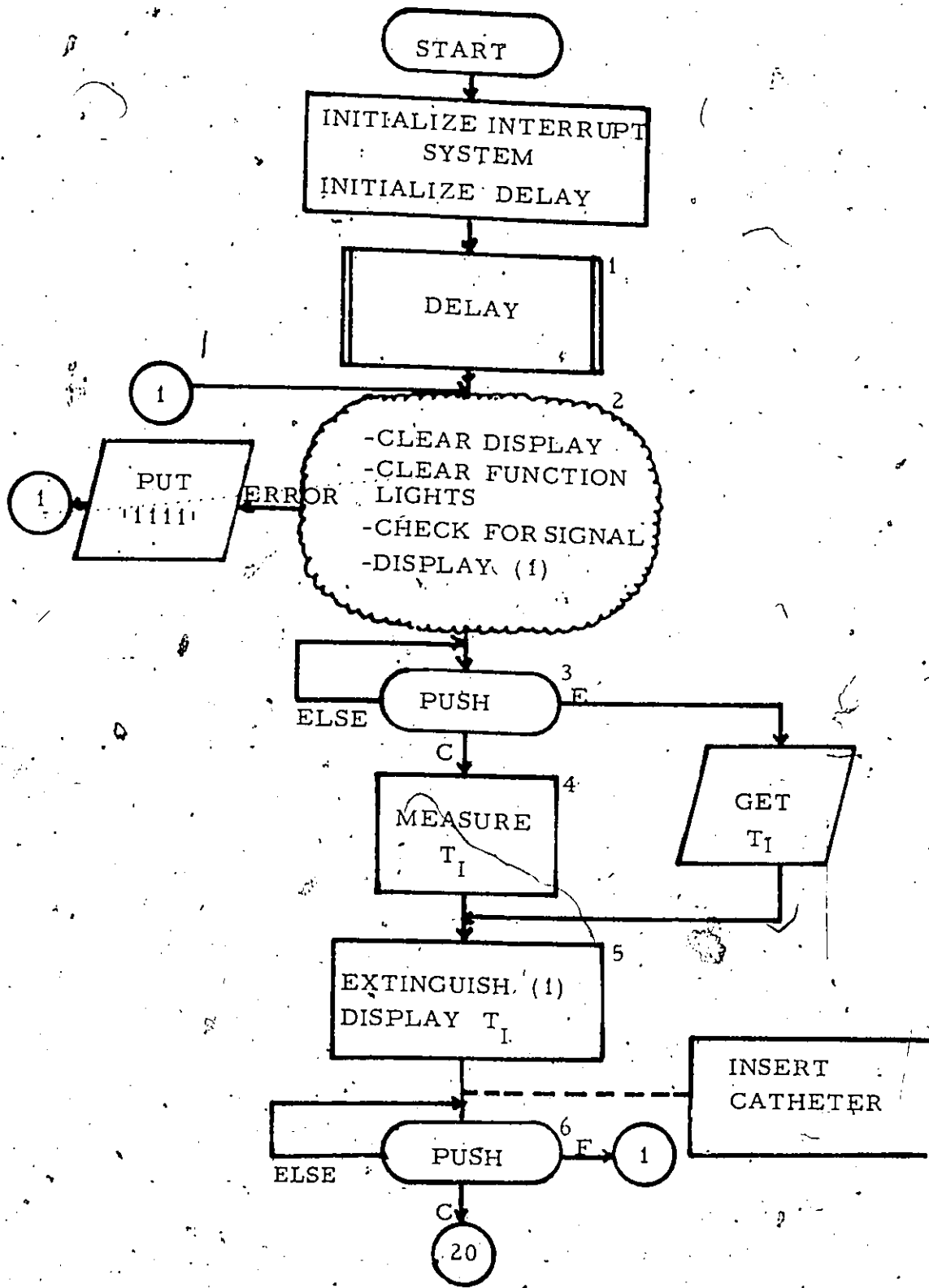


Figure 3

Flow Chart For On-Line Computation Of Cardiac Output From Thermodilution Curve.

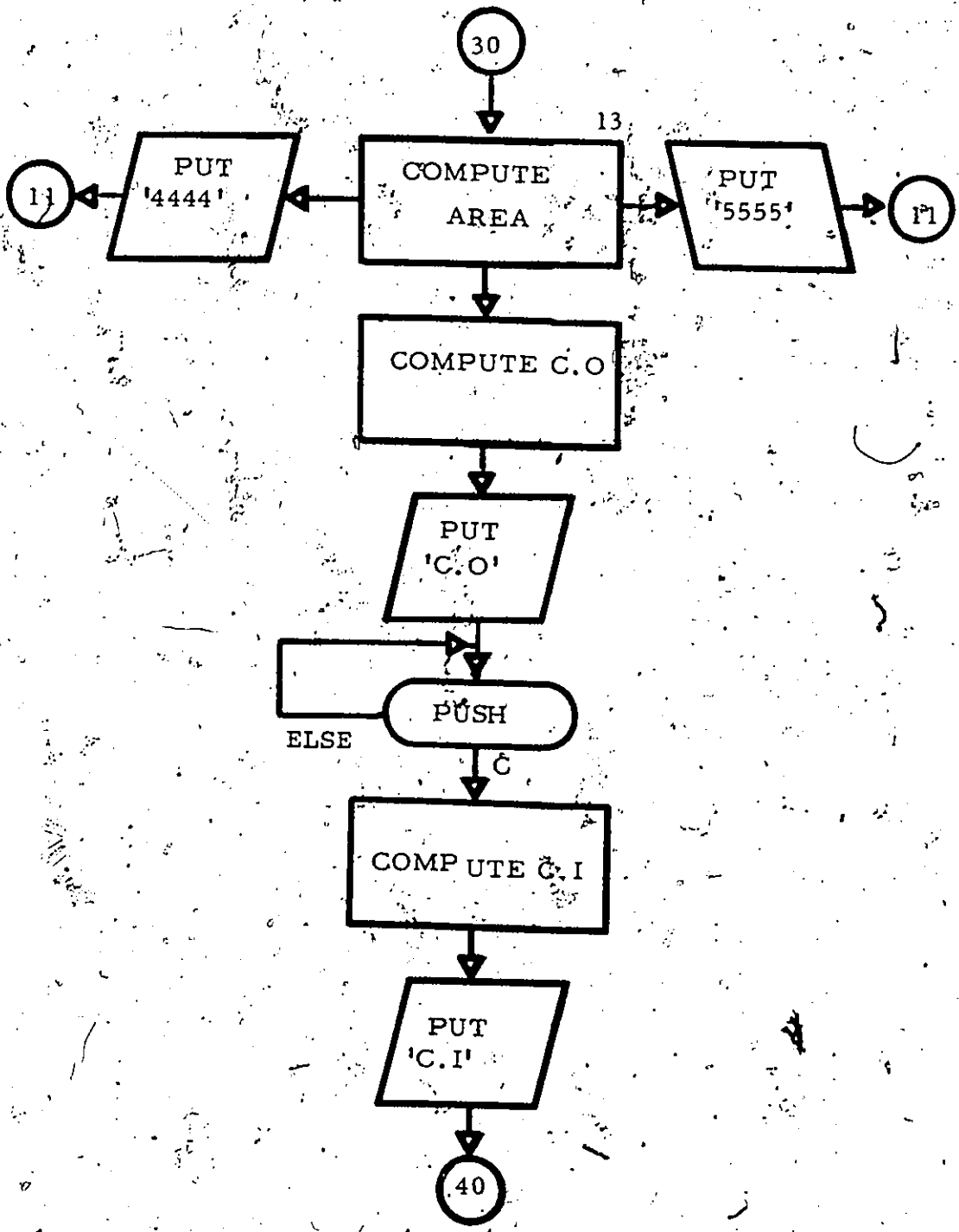


Figure 3 Continued

computation of cardiac output from thermo-dilution curves.

The execution of the procedure is initiated by enabling the power supply switch of the system. To overcome the initial transients in the power supply, a function called "DELAY" [Box 2], is executed everytime the power supply switch is enabled. A flowchart of this function is shown in Figure 4. The duration of the delay is determined by the number of interrupt requests from the real time clock of the system. Then the display of the I/O device, and the functional lights of the functional key board [FKB], are cleared, and the output signal from the thermistor of the catheter is checked. The presence of a signal is indicated by displaying a '1' on the display of the I/O device; otherwise a '1111' is displayed to indicate an error condition. If an error has occurred, the program will wait till the error is corrected. The next step in the procedure is to measure the voltage corresponding to the injectate temperature (Box 4, Figure 5); or if measured before, to input the corresponding voltage to the program. This is done by enabling the 'C' key of the I/O device if the temperature has to be measured [Box 3], or enable the 'E' key if the voltage corresponding to the injectate temperature has to be input to the program. Following normal execution of either of the above two functions, the voltage corresponding to the injectate temperature is displayed. However, if an error has occurred during the measurement of the injectate temperature, a '2222' is displayed and the procedure has to be reinitiated starting from Box, 2. After the measurement of the injectate temperature, if the 'F' key of the FKB is enabled, the procedure is reinitiated from Box 2, Figure 3. However, if the 'C' key is enabled, then the procedure continues and a '2' is displayed on the FKB. Following this, the body surface area 'BSA' is input to the program and then displayed on the FKB. At this stage, the catheter is positioned in the right atrium of the heart; and now the system is ready for processing the thermodilution curve. The procedure is continued by enabling the 'C'

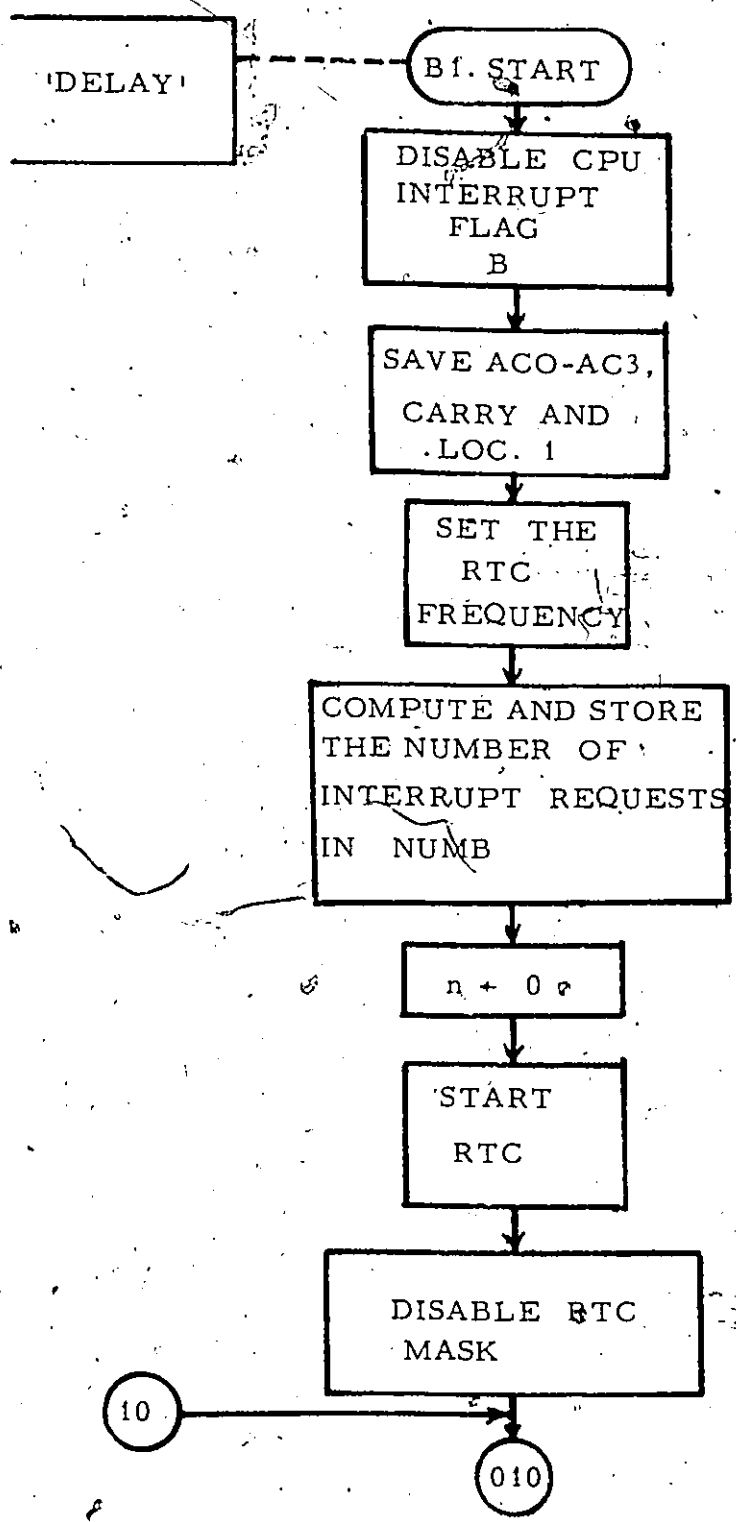


Figure 4

Flow Chart Of Function 'Delay'

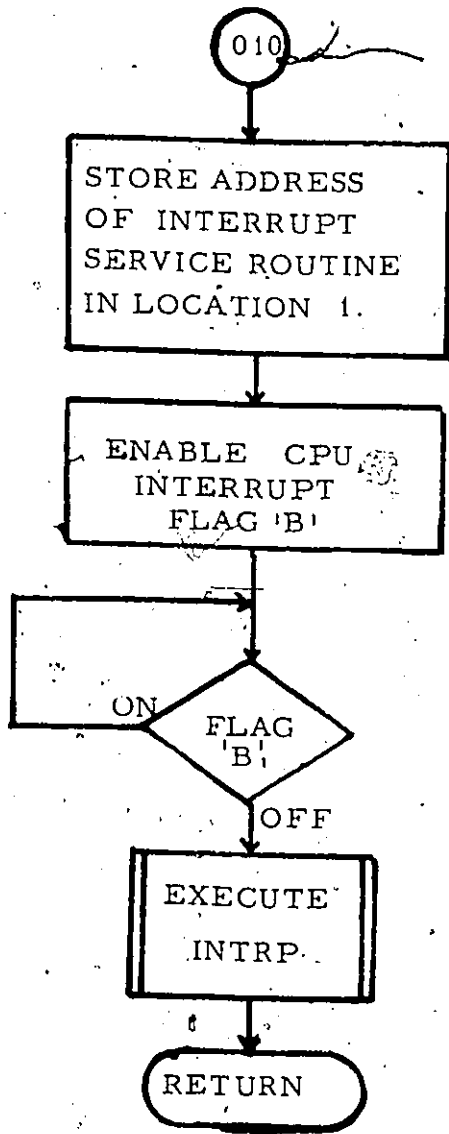


Figure 4 Continued

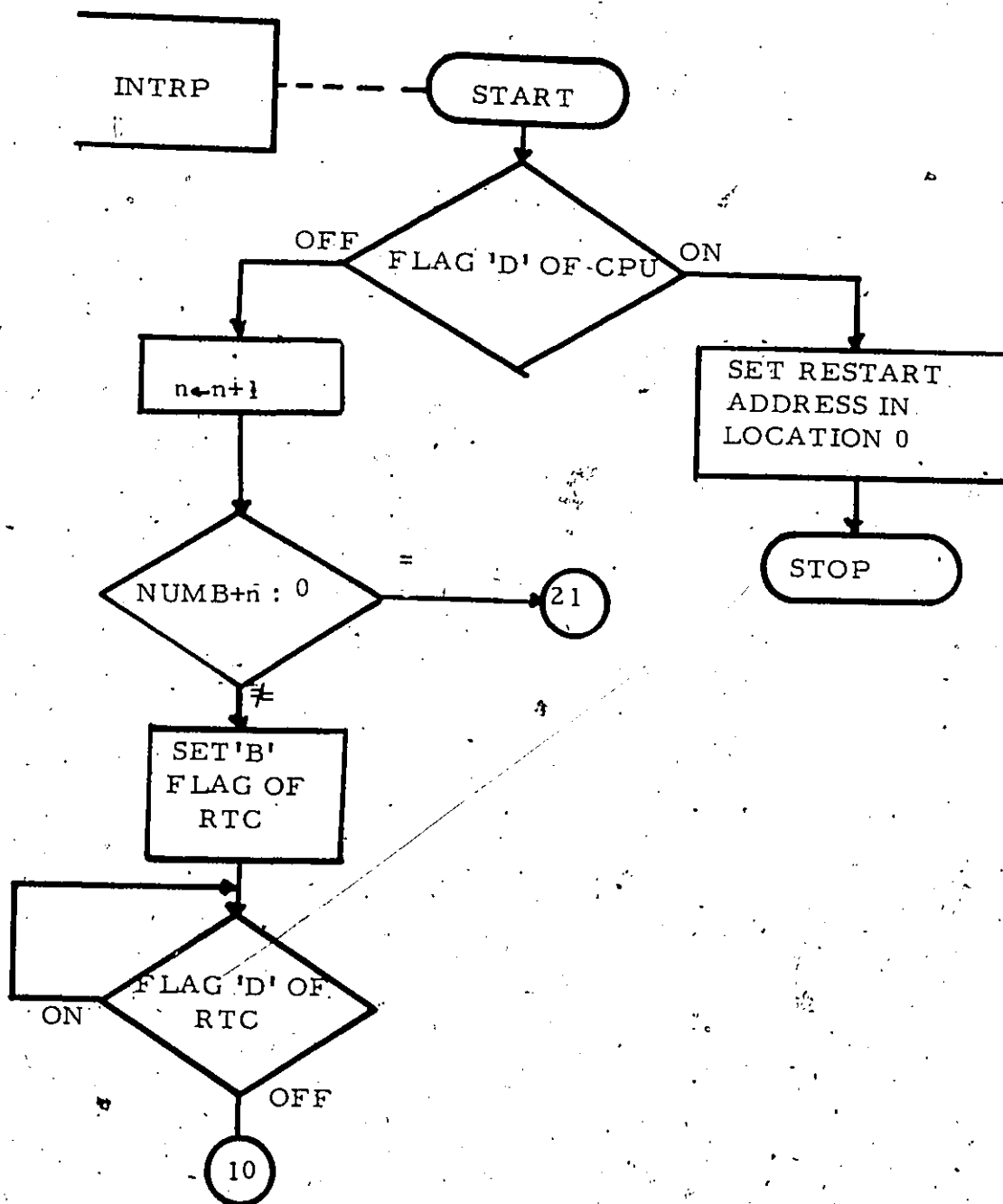


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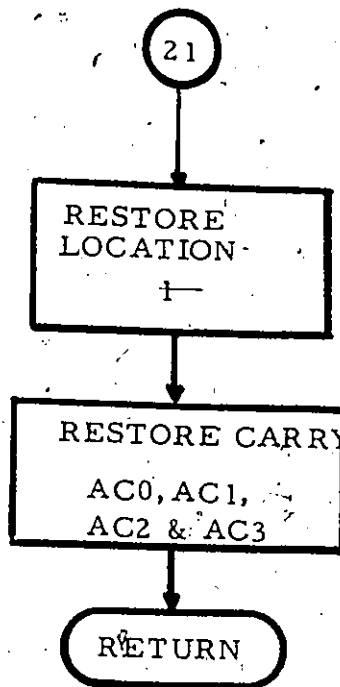


Figure 4 Continued

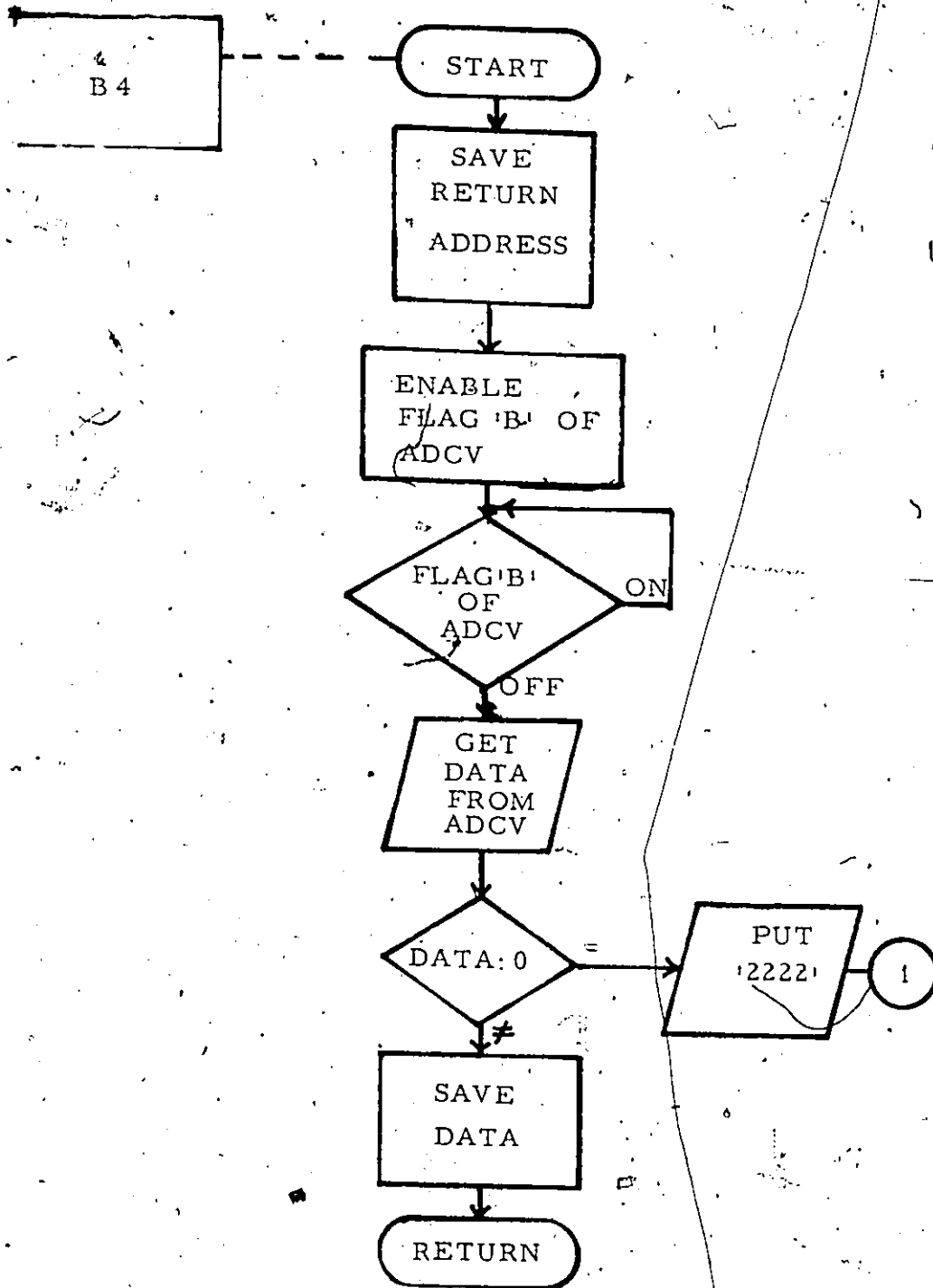


Figure 5

Flow Chart For Measurement Of Injectate And Blood Temperature.

key of the FKB [Box 11], and simultaneously injecting 10 c.c. of ice cold dextrose solution into the pulmonary circulation system. However, if the 'F' key is enabled, the procedure is restarted from Box 2.

Following the injection of the dextrose solution, the voltage corresponding to the normal blood temperature is measured, [Box 7, Figure 3]. An error in the measurement is indicated by displaying a '2222'. If such an error condition does not occur, the procedure continues and the recorder is turned on to record the thermo-dilution curve, and the thermistor circuit HI/LO gain amplifier is switched to HI gain [Box 11A]. The signal which corresponds to the varying pulmonary blood temperature, is sampled every 10^{th} of a second for 20 seconds, and the values are stored in floating point format. Figure 6 is a flow chart for sampling pulmonary blood temperature [Box 12]. If the sampled temperature is below the minimum a '3333' code is displayed to indicate that condition. The procedure can be restarted from Box 11 or Box 2 as shown in Figure 3.

After sampling the temperature, the recorder is turned off and the thermistor circuit HI/LO gain amplifier is switched to LO gain [Box, 12A]. The weighted least square method is used for fitting equation (5) to the sampled data and the area under the thermo-dilution curve is then computed [Box, 13]. Figure 7 is a flow chart for computation of the area under the thermo-dilution curve. If the computed result is too large resulting in an overflow, such a condition is indicated by displaying '5555' and the absence of the peak of the sampled thermo-dilution curve is indicated by displaying '4444'. In both cases, the procedure can be restarted either from Box 2 or Box 11. If neither of the above two errors occur, the cardiac output (CO) is computed using equation (3) [Box 14], and then displayed on the FKB. An overflow in the computed result is indicated by displaying '6666', and the procedure can be restarted from Box 11 or Box 2. Finally the normalized cardiac output, often called the Cardiac Index, is computed.

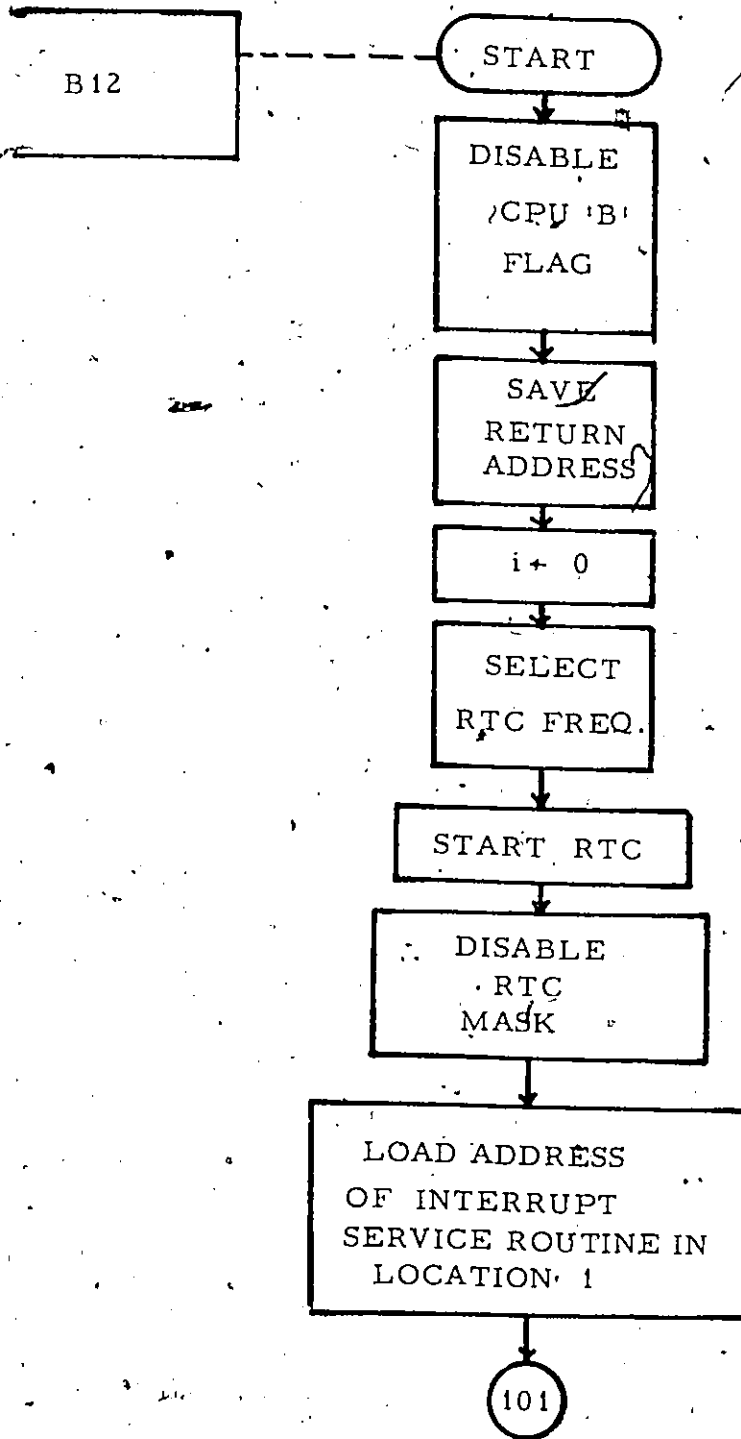


Figure 6

Flow Chart For Sampling Pulmonary Blood Temperature.

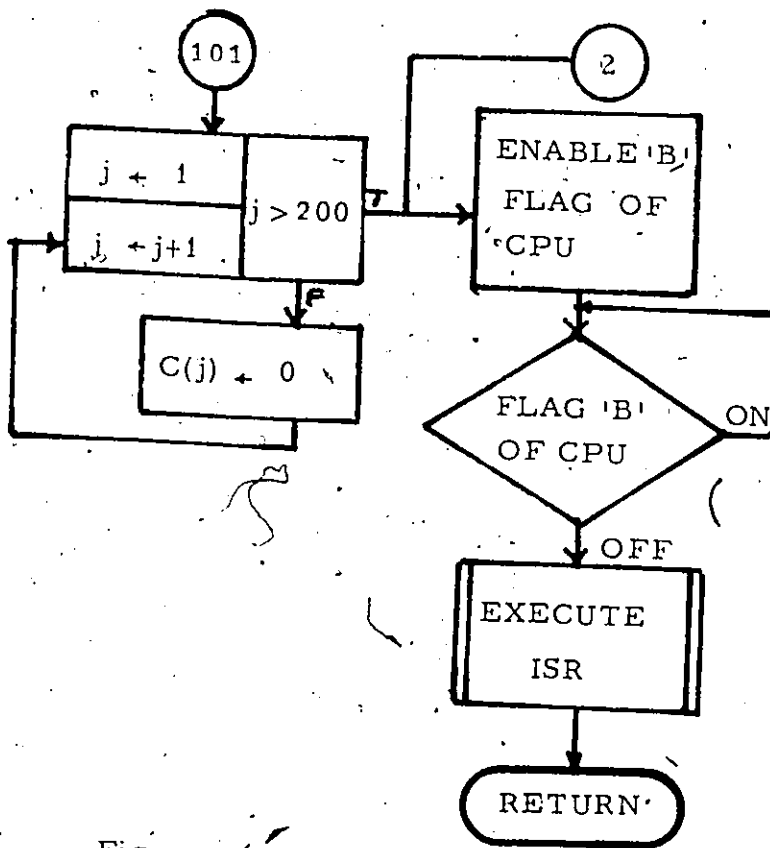


Figure 6 Continued

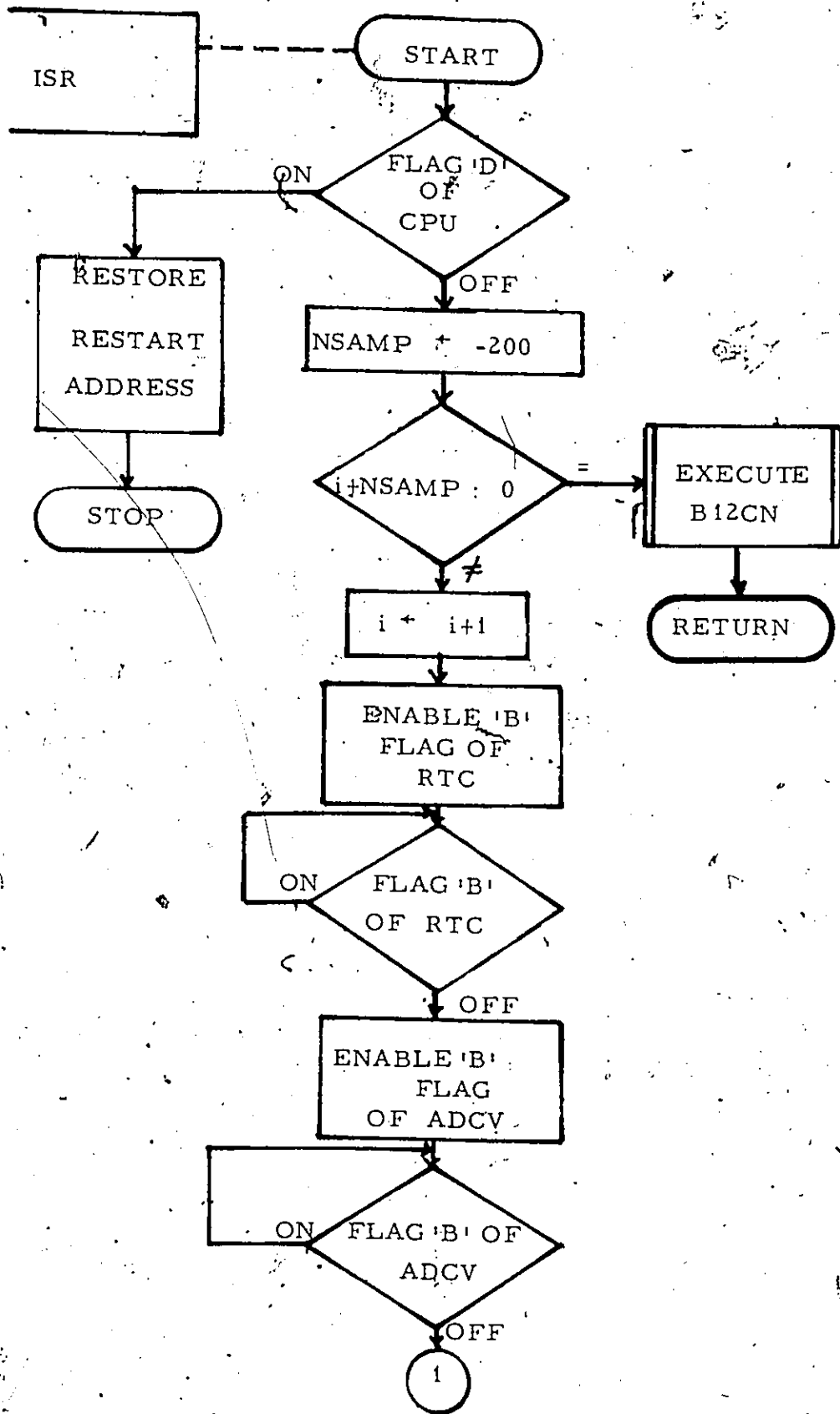


Figure 6 Continued

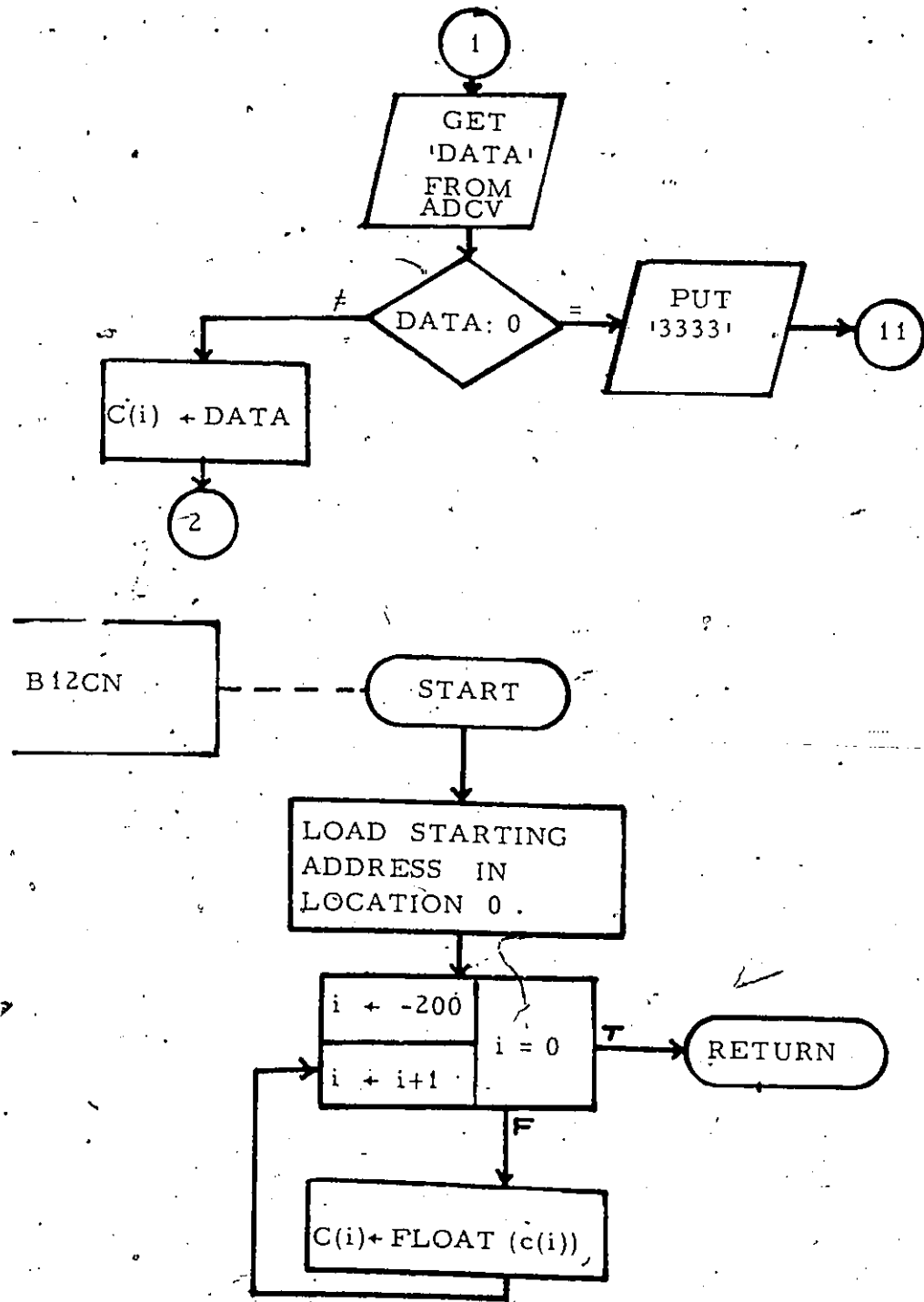


Figure 6 Continued

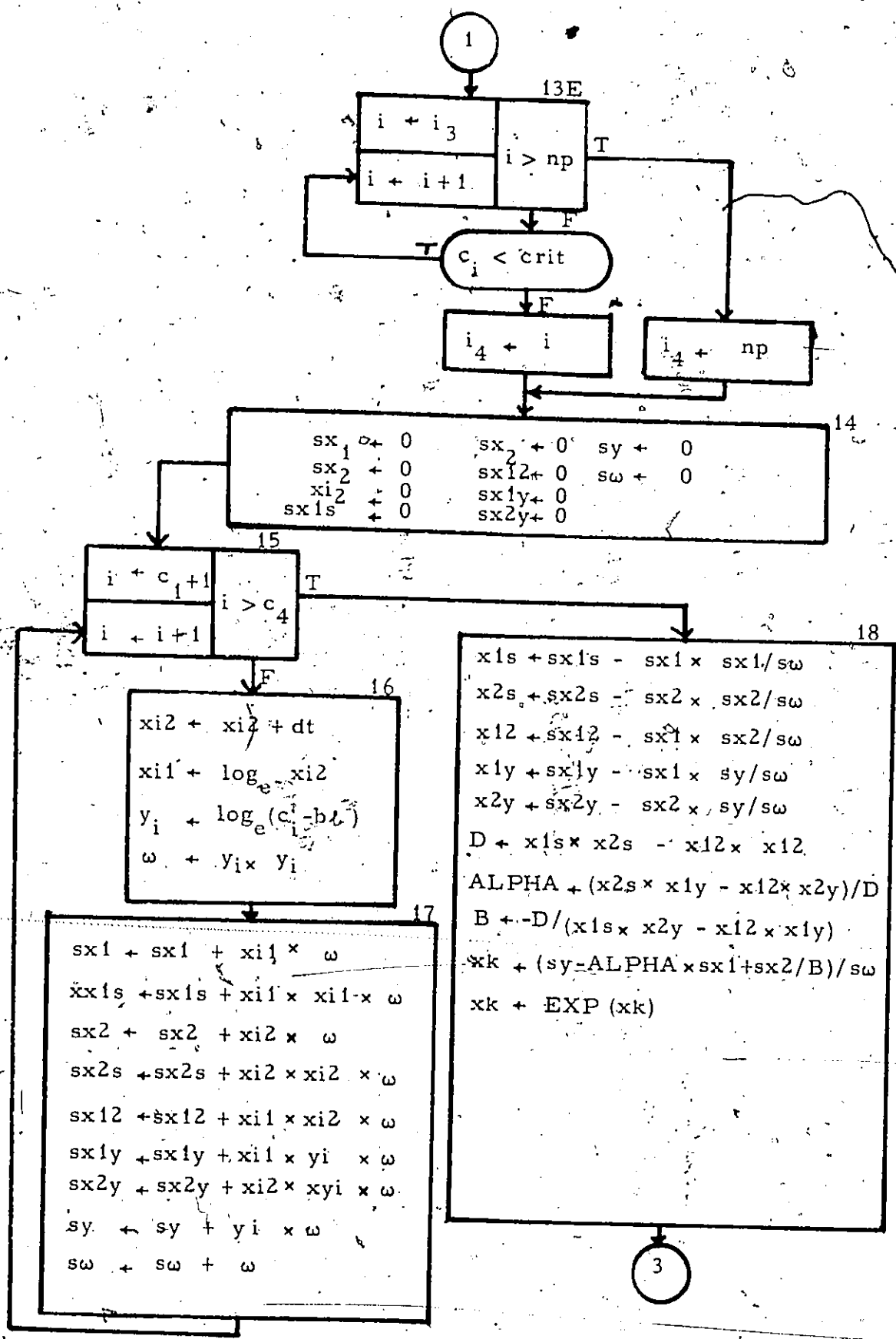


Figure 7 Continued

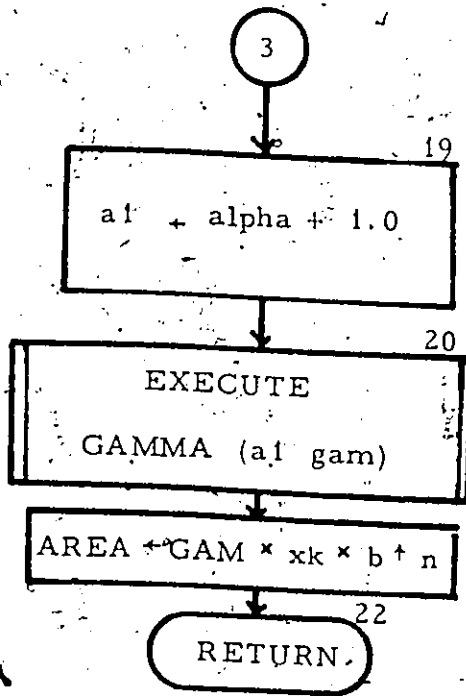
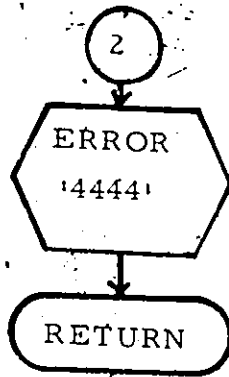
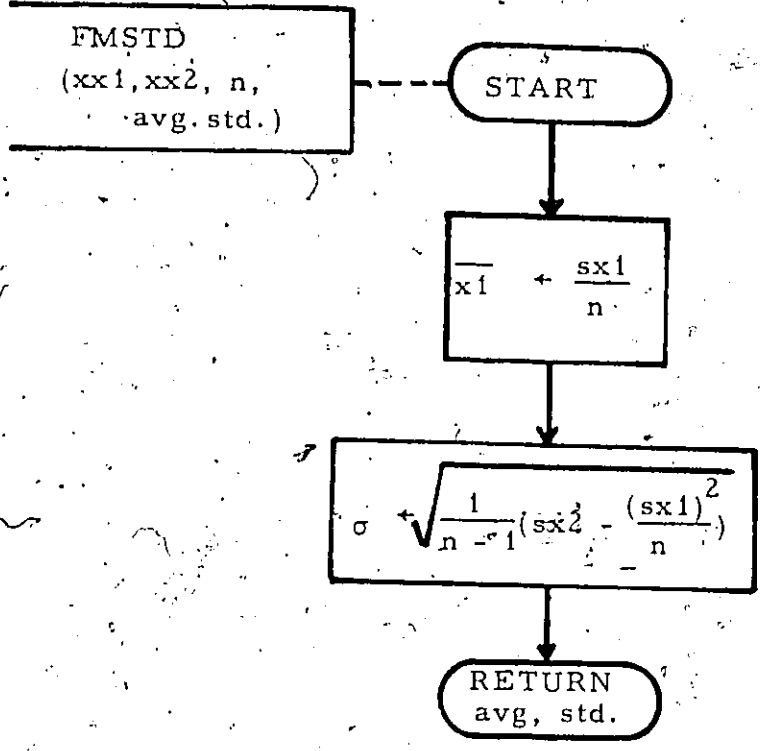


Figure 7. Continued



where

$$s x 1 = \sum_{i=1}^N x_i$$

$$s x 2 = \sum_{i=1}^n x_i^2$$

n = No of Samples

$$avg = \overline{x1}$$

$$std. = \sigma$$

Figure 7 Continued

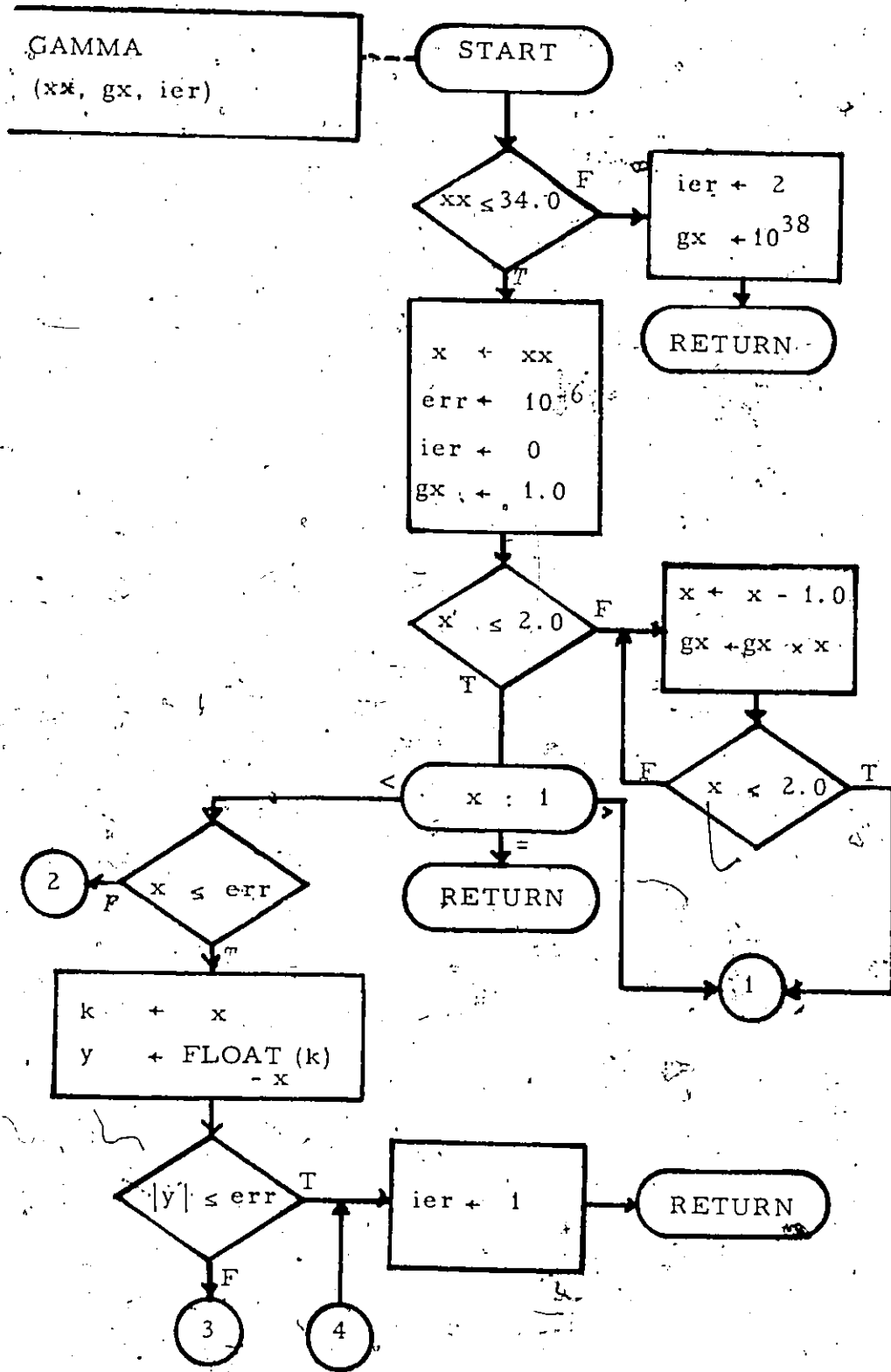


Figure 7 Continued

and subsequently displayed by enabling the 'C' key of the FKB. This completes the procedure for processing a thermo-dilution curve. Repeated measurements can be made by initiating the procedure from Box, 11 or Box, 2 as required.

The support software necessary to install the system for on-line computation of cardiac output from thermo-dilution curves, and keep it running smoothly, are the system loading and initialization programs, debugging aids and the floating point interpreter. A listing of some of these programs along with the software for system initialization is included in Appendix III.

CHAPTER V

SYSTEM TESTING

The technique for testing real-time systems has been found to be more advanced and complex in nature compared to conventional systems. The procedure of first testing the programs and then the overall system is usually adopted, except on large systems, in which case it has been proved to be extremely difficult.

The first phase in testing of the programs involved verifying the procedure for fitting equation (3) to the thermo-dilution curve. Figure 8 shows an algorithm for digital simulation of thermo-dilution curves. The algorithm takes into account, the noise levels in sampled data by appropriate addition of noise signals assumed to be Gaussian in nature. The procedure for fitting equation (3) to the thermo-dilution curve is given in Figure 9. A listing of the codes for the above procedures are included in Appendix III. After several successful tests, the procedure was adopted for on-line computation of cardiac output from the thermo-dilution curve. The procedure was again checked for correctness by comparing the results obtained from tests made on simulated thermo-dilution curves. The next step in testing of the program involved verifying the procedure for processing thermo-dilution curves. This required an analog simulation of the thermo-dilution curve. Figure 10 shows an experimental set-up corresponding to the central blood circulation. The rate of flow of the liquid in the system is determined by the operating speed of the pump. The temperature of the circulating liquid is kept constant by the heat exchanger. RE and MC represent the reservoir and the mixing chamber respectively. The catheter is positioned such that its tip carrying the thermistor lies beyond the mixing chamber along the direction of flow of the liquid. The temperature vs. time curve

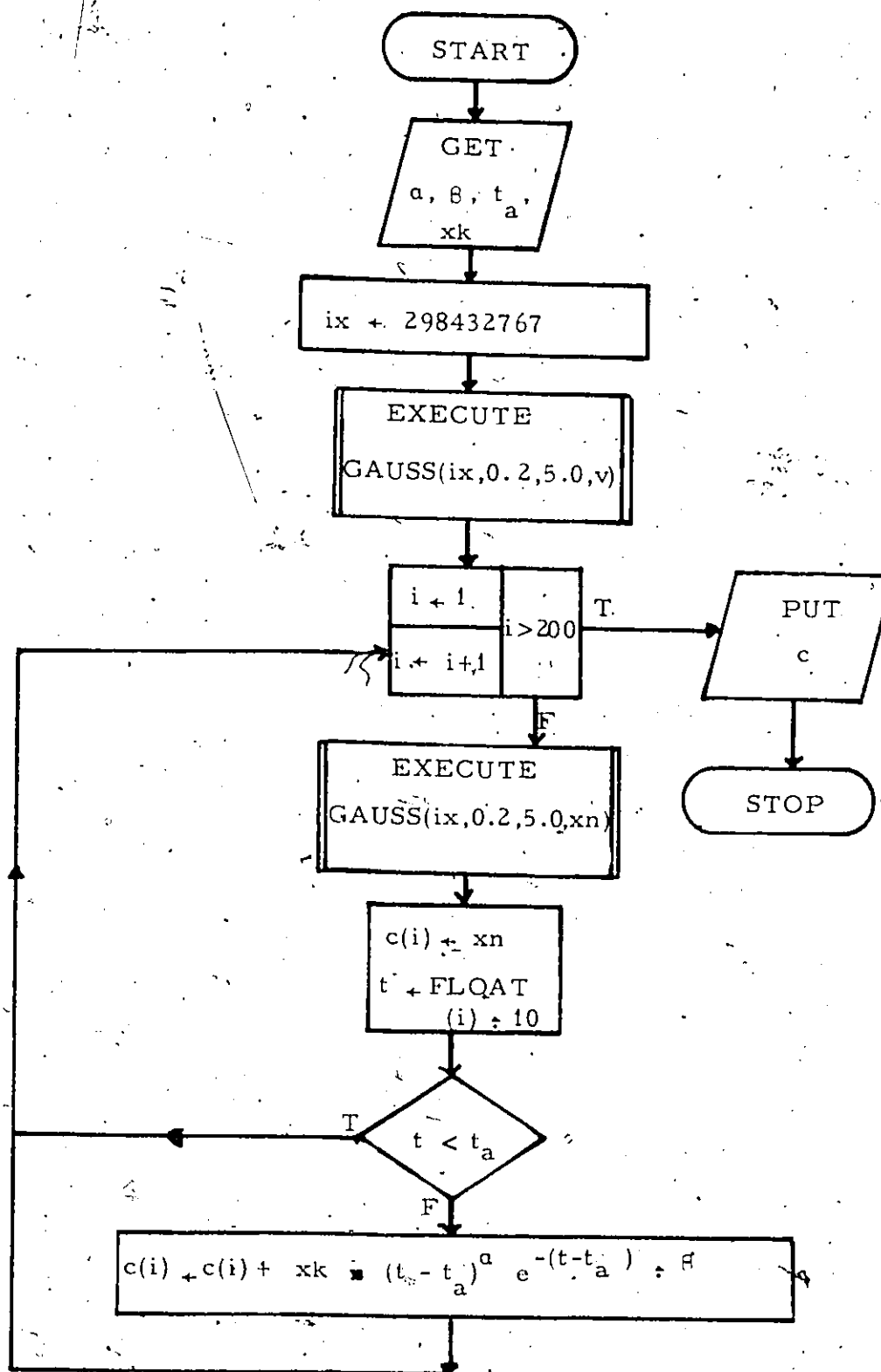


Figure 8

Flowchart For Digital Simulation Of Thermo-Dilution Curve.

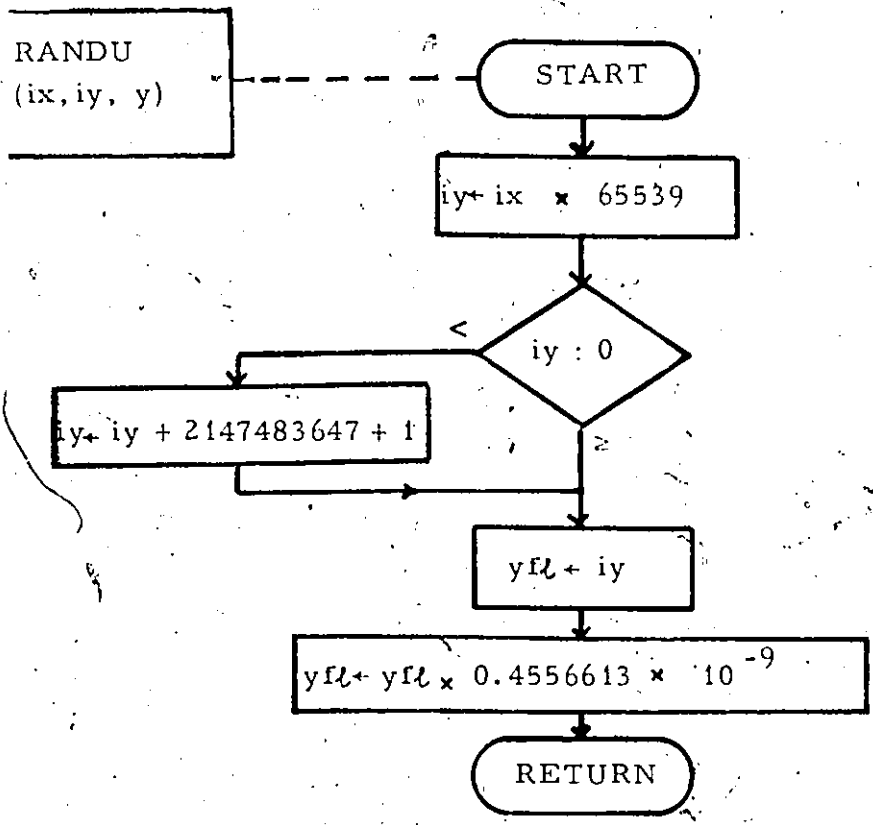
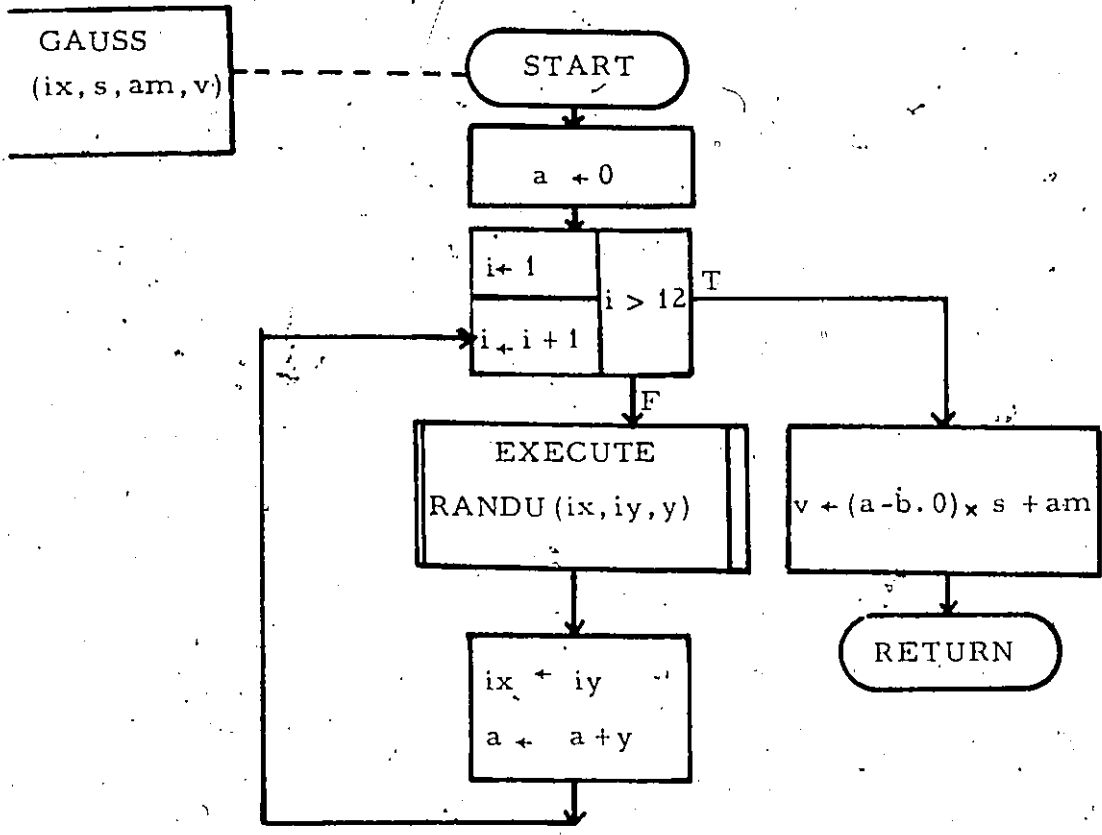


Figure 8 Continued

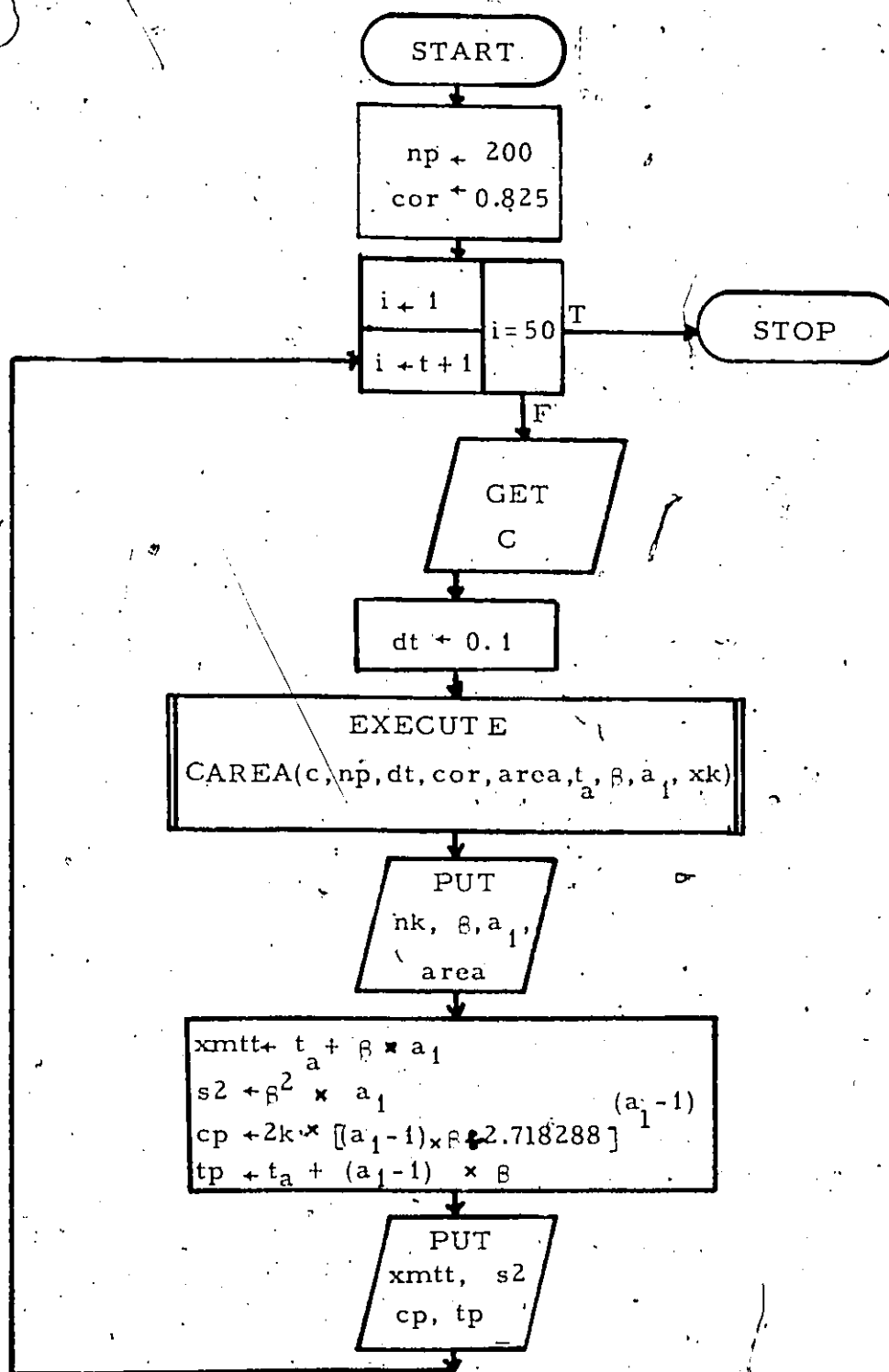


Figure 9

Flowchart For The Analysis Of Simulated Thermo-Dilution Curves

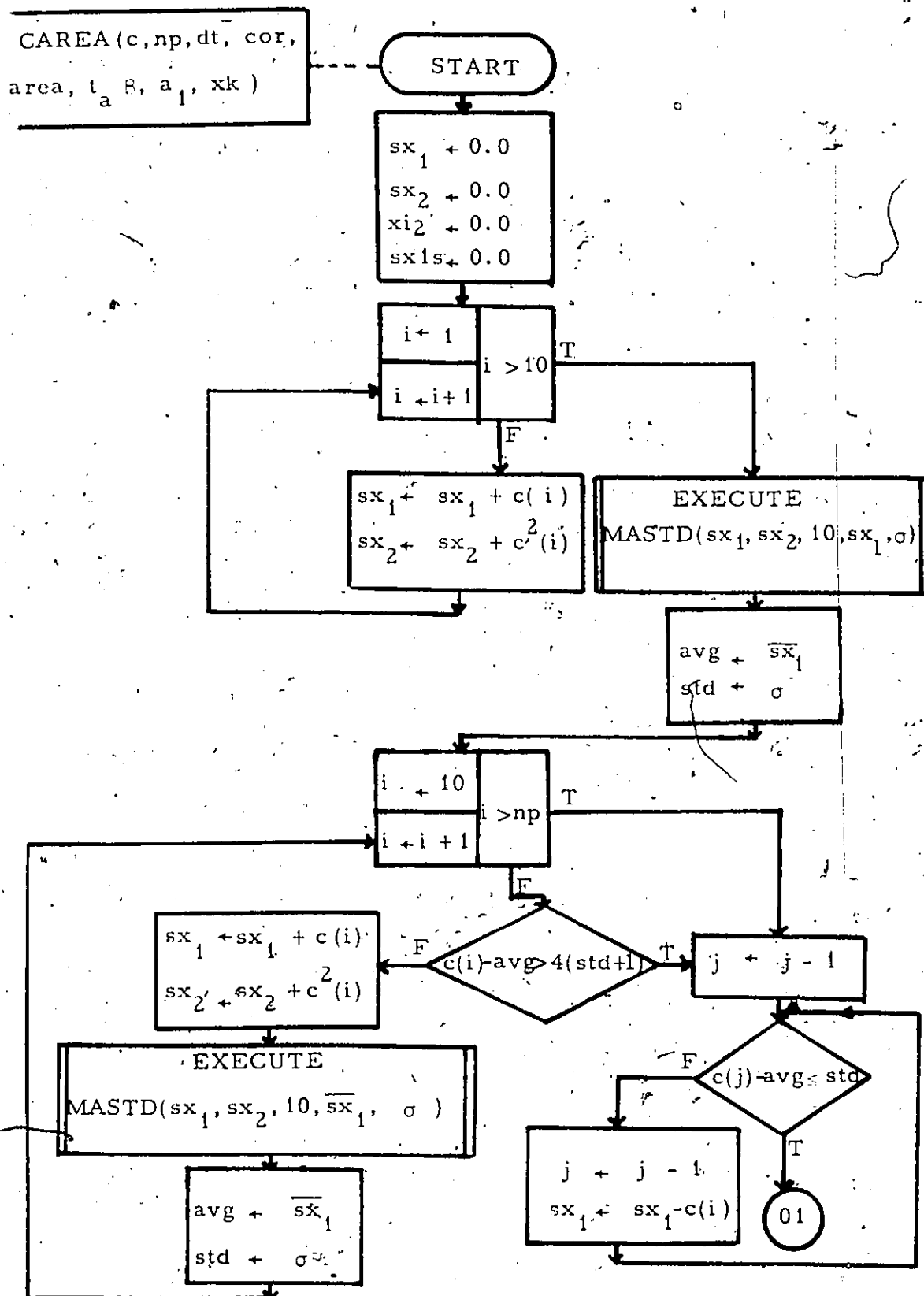


Figure 9 Continued

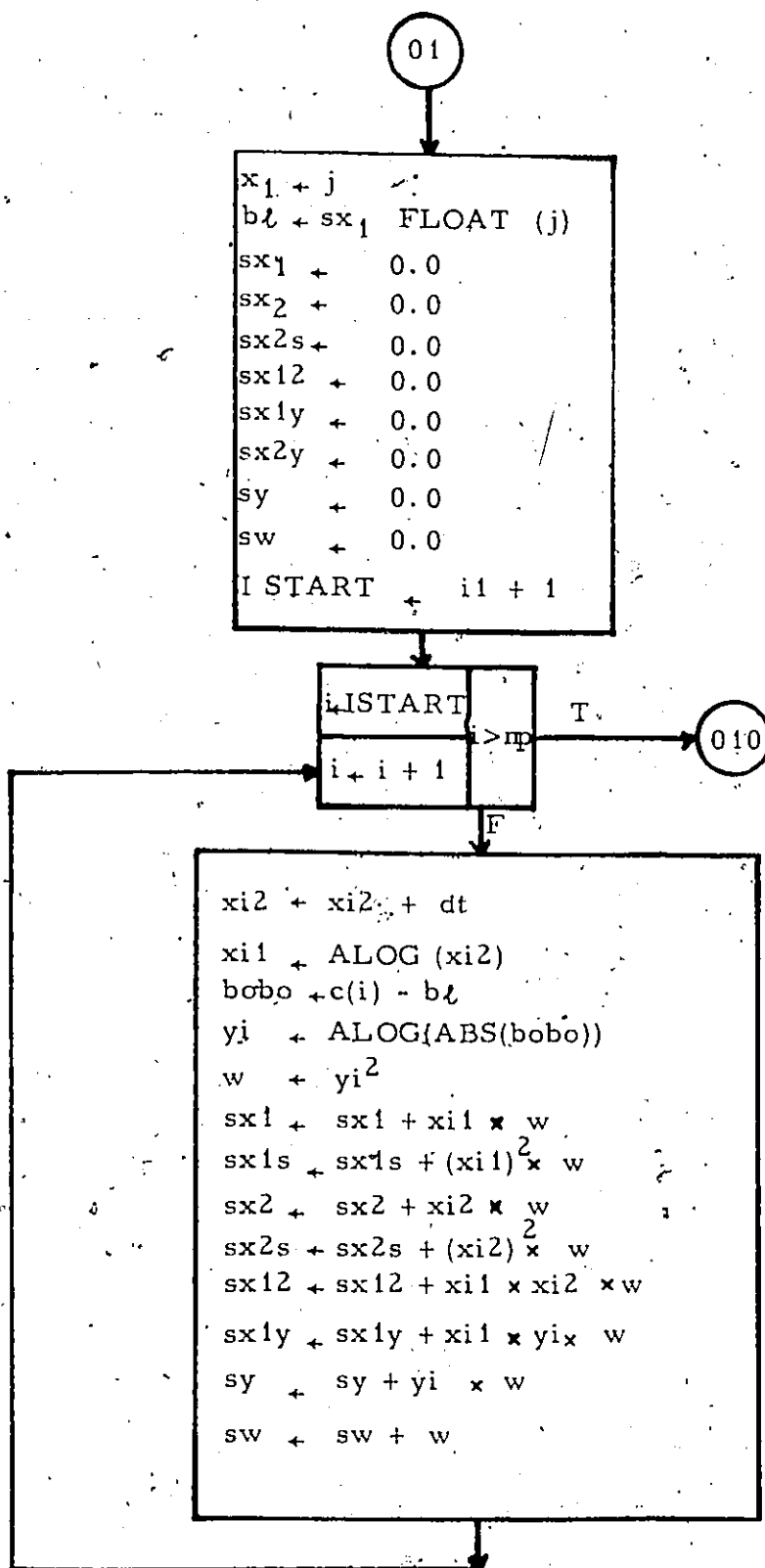


Figure 9 Continued

010

```

x1s ← sx1s - (sx1)2 ÷ sw
x2s ← sx2s - (sx2)2 ÷ sw
x12 ← sx12 - (sx1 × sx2) ÷ sw
x1y ← sx1y - (sx1 × sy) ÷ sw
x2y ← sx2y - (sx2 × sy) ÷ sw
d ← x1s × x2s - (x12)2
a ← (x2s × x1y - x12 × x2y) ÷ d
b ← -d (x1s × x2y - x12 × x1y)
xmu ← (sy - a × sx1 + sx2 ÷ b) ÷ sw
xk ← exmu
a1 ← a + 1:0
gam ← GAMMA (a1)

```

PUT
gam, d,
x2y, x1y,
x12, x2s,
x1s, a1, b1

02

Figure 9 Continued

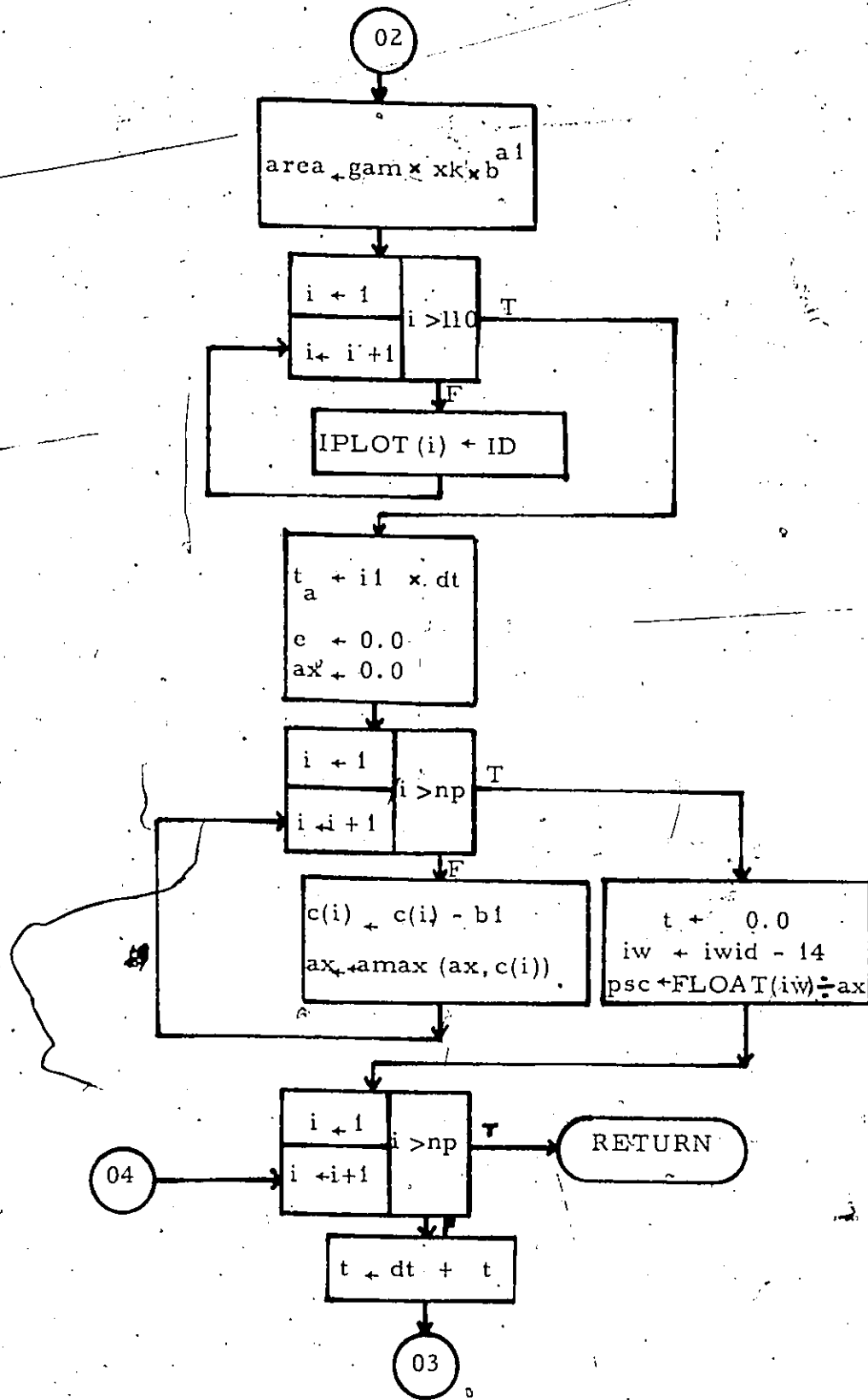


Figure 9 Continued

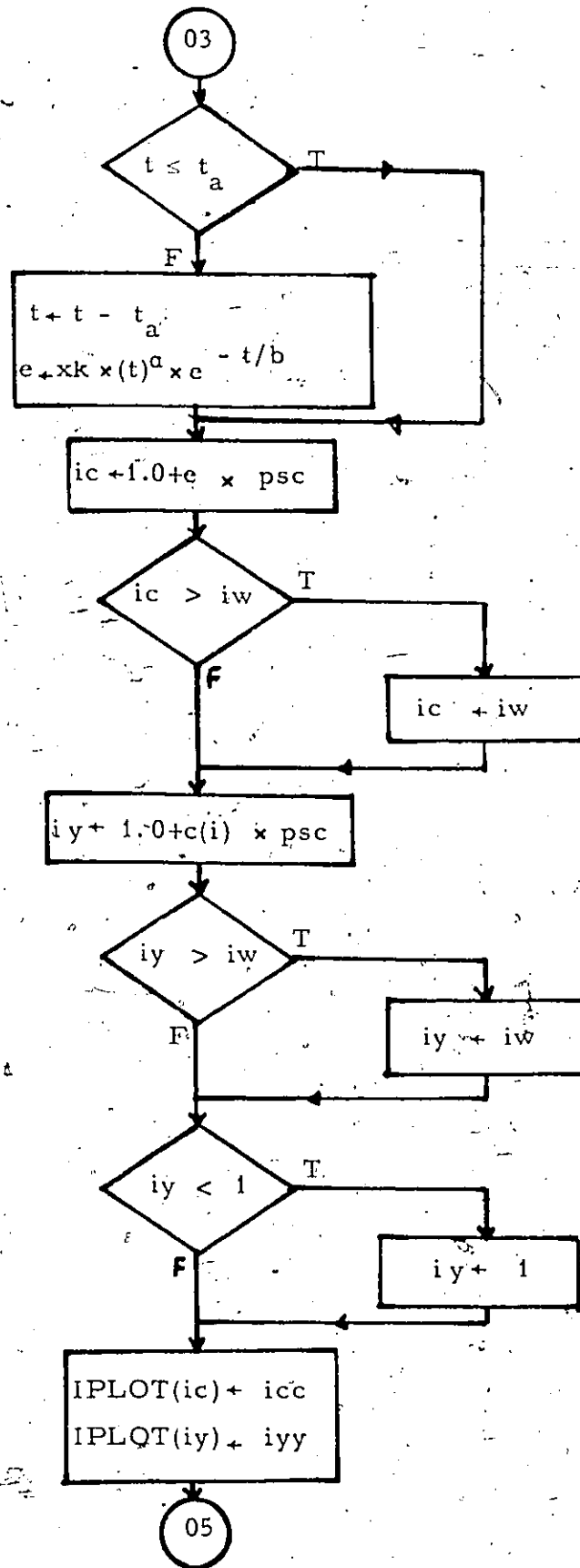


Figure 9 Continued

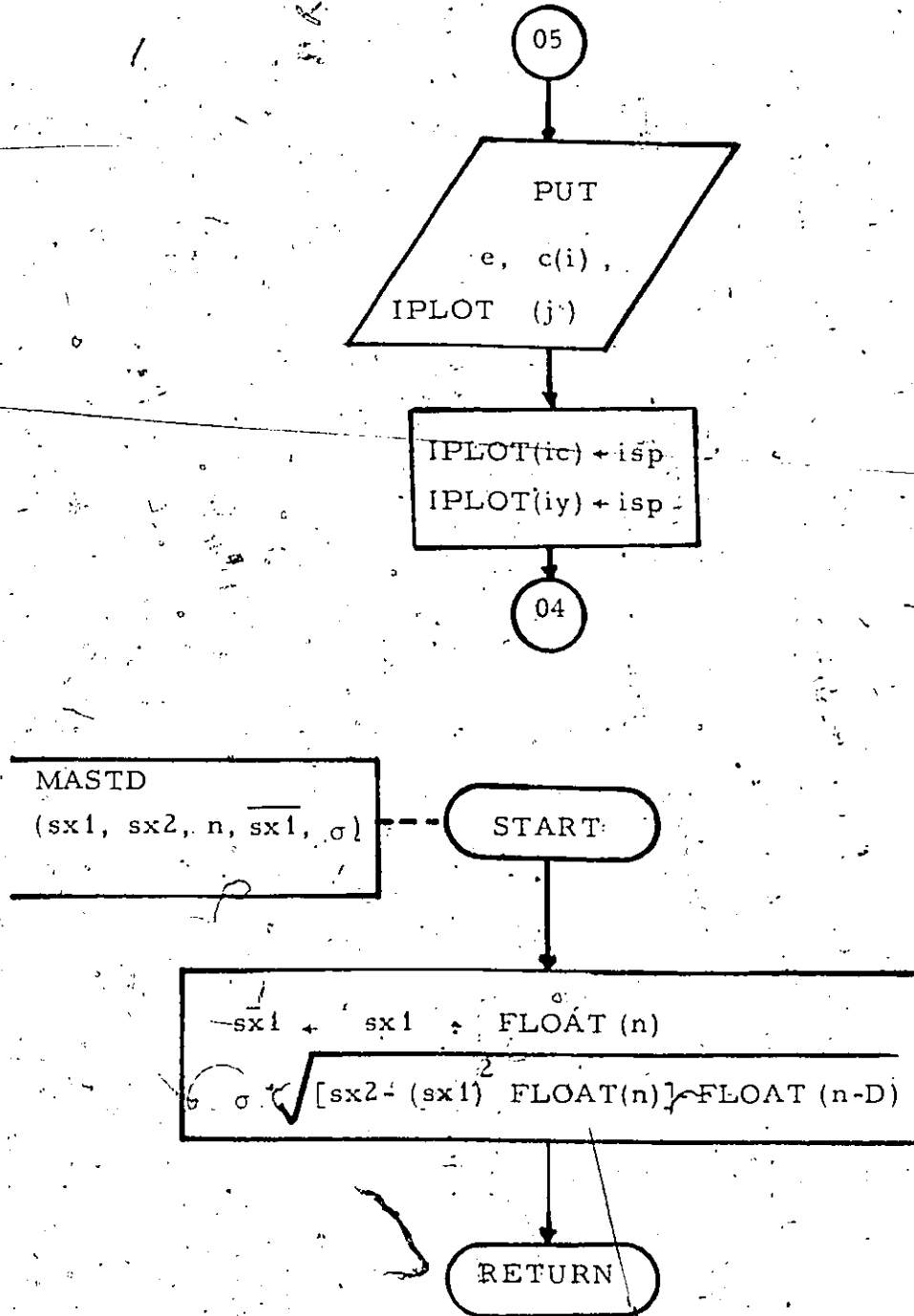


Figure 9 Continued

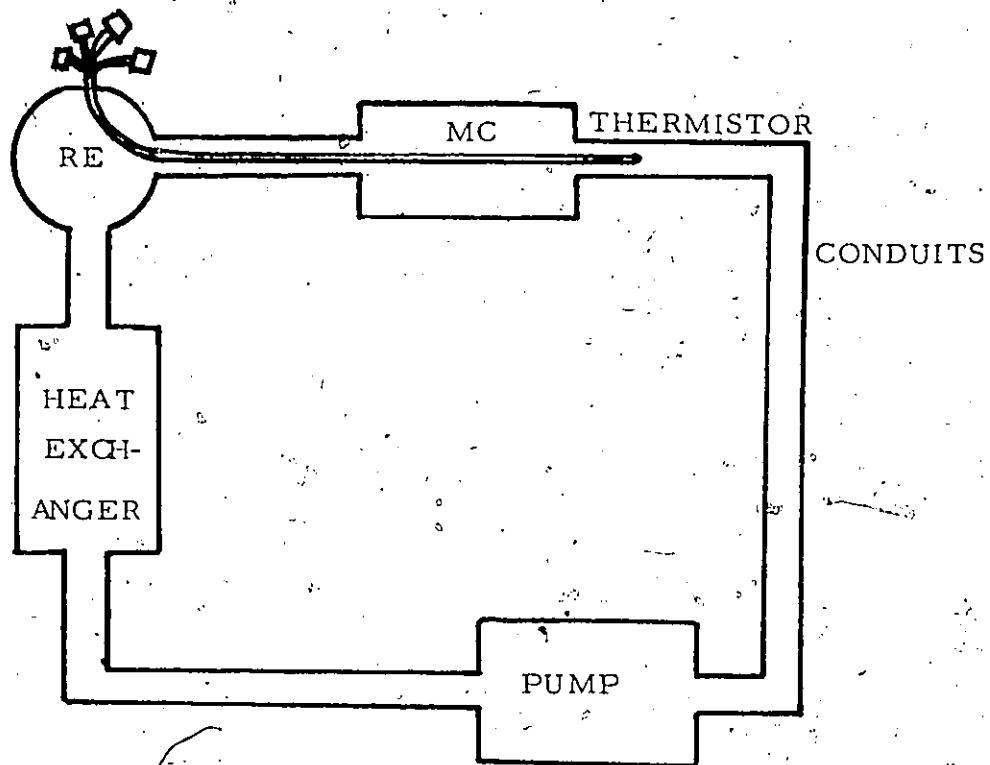


Figure 10

Schematic Diagram of the Experimental Setup For Simulating
the Central Blood Circulation

obtained following injection of 10 cc of cold dextrose solution was processed and the rate of flow of the liquid in the system was then computed. The hardware interface necessary for processing thermo-dilution curves is shown in Figure 11. It was designed by the Bio-engineering department of the Ottawa Civic Hospital, to interface the catheter thermistor to the A/D converter of the computer.

$R(T)_c$ is the resistance corresponding to the catheter thermistor. The change in resistance of the thermistor as a function of temperature is approximately given by

$$R \propto e^{-1/T}$$

Accordingly, the voltage across the thermistor is proportional to the resistance. The thermistor is supplied by a constant current source and the voltage across the thermistor is amplified using an isolation amplifier. The thermistor circuit employs a logarithmic amplifier to obtain a voltage proportional to the temperature change in the pulmonary blood following injection of the cold dextrose solution. This voltage is made available at the output of a HI/LOGain amplifier. The output of this amplifier serves as input to the A/D converter of the computer and the recorder, which records the thermo-dilution curve. The gain ratio which is defined as the ratio of the slopes of the temperature vs voltage curves of the thermistor circuit at low gain and at high gain is approximately 1/12. The choice of the amplifier gain as well as the operation of the recorder is under computer control.

The software necessary for proper selection of the amplifier gain and the operation of the recorder was tested for correctness. The procedures for measurement of temperature of the injectate, normal temperature of the blood, and the change in pulmonary blood temperature following injection of the cold dextrose solution were individually tested.

The sources of error during development and testing of the

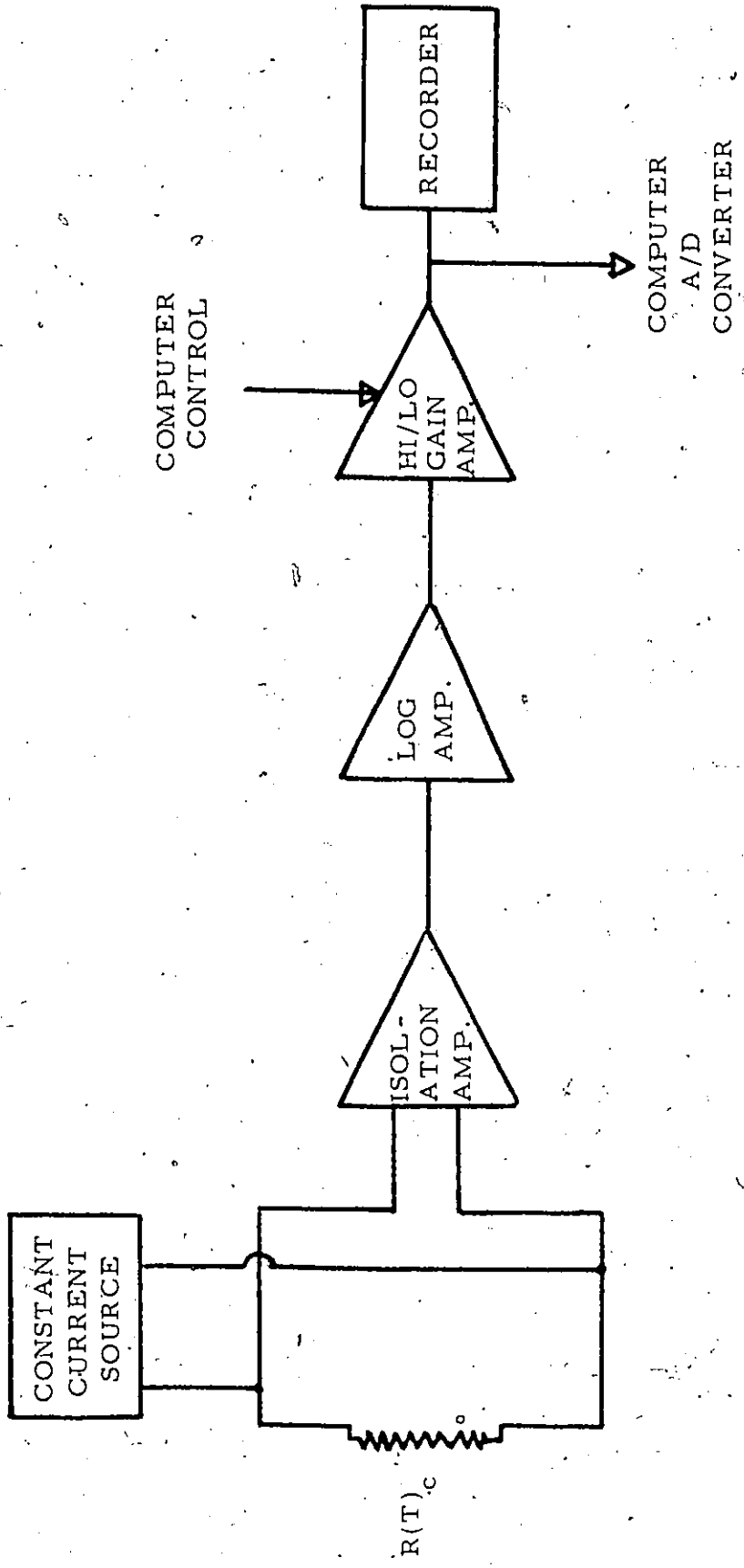


Figure 11

Schematic Diagram of the Thermistor Circuit Interface Unit

overall system for on-line computation of cardiac output from thermo-dilution curves were similar to those found in other real-time systems. Series of tests conducted on the system have shown that the results depended on the rate of injection of the cold dextrose solution and also on the length of the catheter exposed to the atmosphere. Also varying input rates seriously affected the response of the system. Approximations made in fitting equation (3) to the thermo-dilution curve and the drifts in the baseline affect the accuracy of the computed values. Because of the large number of possible combinations of these errors, it has been found difficult to remove the last traces of error from the system.

CHAPTER VI

SYSTEM VALIDATION

Validation of real-time systems is an area requiring a good deal of judgment. To a large extent the problem is a complement to the formulation of the system. Validation of real-time systems are done by comparing histories of performance of the system under consideration with those available for existing systems; or in the absence of such information, the validity of the system is inferred by observing it meets the set requirements. Errors can, of course occur in the design and development of the system. If mathematical modelling is a part of the real-time system, ideally; the errors of the system and programming errors should be separated by validating the mathematical model before embarking on programming. This is not easy to do, however, because usually the mathematical model is intractable. It may be possible to solve special cases, for example by removing all randomness, but as a rule the validation is carried out by comparing computed results to expected standard results.

The validity of the real-time system for on-line computation of cardiac output was done by comparing computed results of cardiac output from tests on simulated thermo-dilution curves with standard measurements made concurrently. Table I shows computed results and standard measurements made from simulated thermo-dilution curves. Figure 12 is a plot of the computed results vs standard measurements. The solid line indicates the desired values of cardiac output.

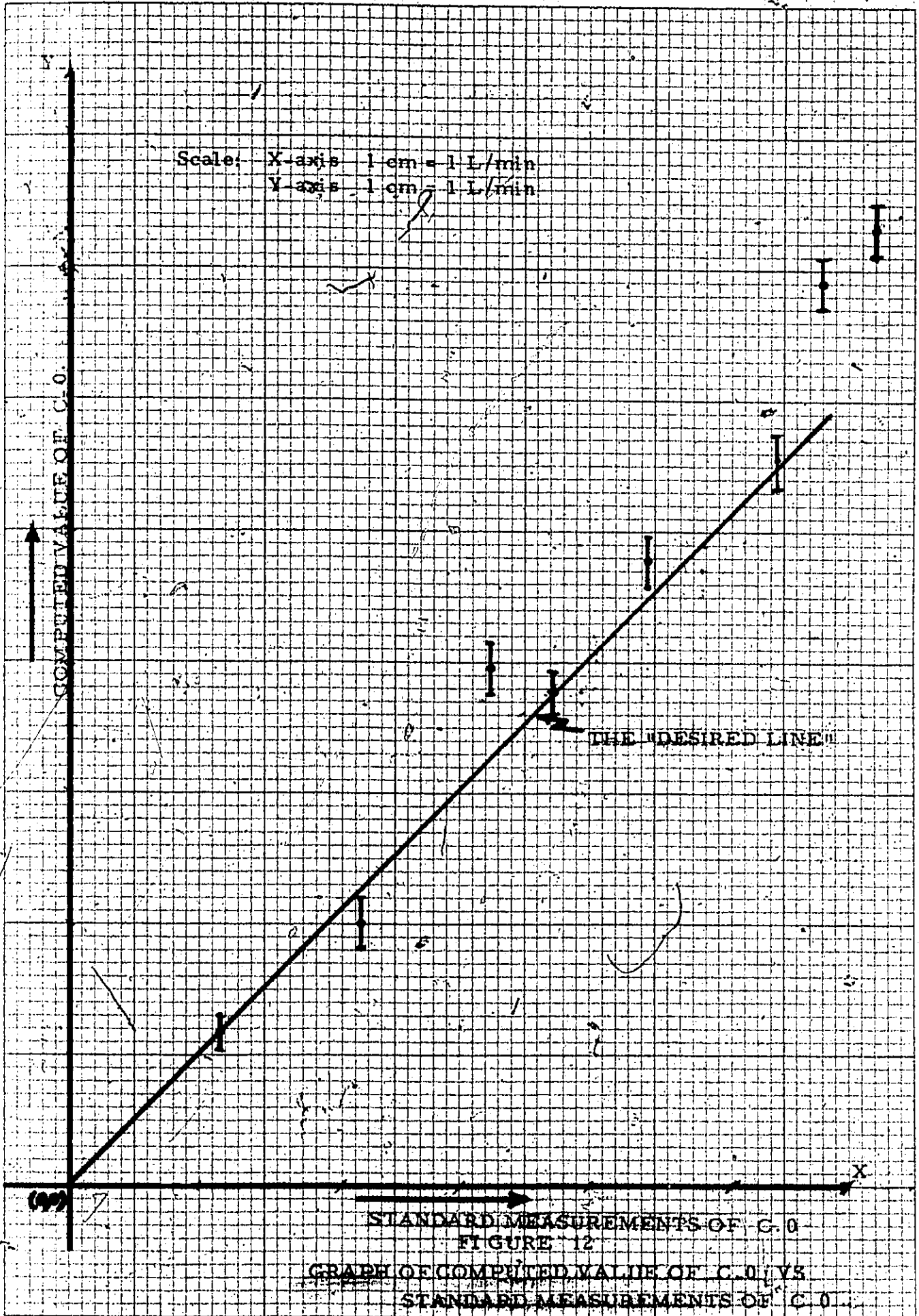
Sl. No.	Computed Values of C.O, L/min	Standard Measurements of C.O, L/min	Desired Values of C.O, L/min
1	1.15	1.15	1.15
2	2.15	2	2.0
3	3.95	3.25	3.25
4	3.76	3.75	3.75
5	4.78	4.45	4.45
6	5.55	5.45	5.45
7	6.9	5.8	5.8
8	7.3	6.2	6.2

Table I

Computed, Measured and Desired
Values of C.O.

CONCLUSIONS

The system for on-line computation of cardiac output from thermo-dilution curves, using a digital-mini-computer has proved to be extremely useful as a tool in bio-medical research. The results obtained from tests conducted on simulated thermo-dilution curves are in close correspondence to the expected values.



APPENDIX I

WEIGHTED LEAST SQUARE PROCEDURE FOR THE ANALYSIS OF INDICATOR DILUTION CURVES

The following equation is shown elsewhere [29], to represent a good fit for the indicator dilution curves.

$$C(t_i) = k(t_i - t_a)^{\alpha} e^{-(t_i - t_a)/\beta} \quad \dots\dots (A1.1).$$

- where
- k = scale factor,
 - α, β = arbitrary parameters,
 - t_a = appearance time,
 - $C(t_i)$ = indicator concentration at time t_i .

Equation A1.1 is non-linear in k, α and β . This is made linear by taking logarithms, so that the linear least square procedure can be employed to determine the constants k, α and β .

$$\ln C(t_i) = \ln k + \alpha \ln(t_i - t_a) - (t_i - t_a)/\beta$$

or

$$y_i = \mu + a_1 x_{i1} + a_2 x_{i2} \quad \dots\dots (A1.2)$$

where $y_i = \ln [C(t_i)]$ $a_1 = \alpha$ $x_{i1} = \ln(t_i - t_a)$

$\mu = \ln(k)$ $a_2 = 1/\beta$ $x_{i2} = (t_i - t_a)$

The weighted sum of squares of the deviations (δ_i) of the fitted curve can be written as

$$S = \sum_{i=1}^n (\delta_i)^2 = \sum_{i=1}^n w_i (y_i - \mu - a_1 x_{i1} - a_2 x_{i2})^2 \quad \dots\dots (A1.3)$$

Where w_i are the weights corresponding to each value of the polynomial given by A1.2, and are taken to be inversely proportional

to the error variance in the determination of $C(t_1)$. The error in the determination of $C(t_1)$ is approximately constant. However, since a logarithmic model is assumed, the error is no longer constant, but varies inversely with the square of the indicator concentration.

Therefore

$$w_i = C^2(t_i)$$

Equation A1.3 can be expanded to the following form.

$$\begin{aligned} S &= \sum_{i=1}^n w_i y_i^2 + \sum_{i=1}^n w_i \mu^2 + \sum_{i=1}^n w_i a_1^2 x_{i1}^2 \\ &+ \sum_{i=1}^n w_i a_2^2 x_{i2}^2 - 2 \sum_{i=1}^n w_i y_i \mu \\ &+ 2 \sum_{i=1}^n w_i a_1 \mu x_{i1} + 2 \sum_{i=1}^n w_i a_1 a_2 x_{i1} x_{i2} \\ &- 2 \sum_{i=1}^n a_2 w_i x_{i2} y_i + 2 \sum_{i=1}^n w_i \mu a_2 x_{i2} \\ &- 2 \sum_{i=1}^n w_i y_i a_1 x_{i1} \dots \dots \dots (A1.4) \end{aligned}$$

To obtain a close fit it is necessary that the deviations be minimal. Minimizing the sum of squares of the deviations will discriminate against large deviations δ_i . In essence, it is necessary to minimize the right hand side of equation A1.3. Since the x_{i1} and x_{i2} are known functions which can be easily evaluated given t_i and t_a , and y_i is a measured quantity, the only unknowns in equation A1.3 are a_1 and a_2 . μ is a constant which can be solved using a_1 , a_2 and equation A1.2. Hence we can look on A1.3 as a function of the coefficients a_1 and a_2 , with all other terms being known constants.

In elementary calculus whenever we wish to minimize a function, we set its first derivatives equal to zero and solve for the unknown

variable. The equation A1.3 is minimized by setting the partial derivatives with respect to a_1 and a_2 each equal to zero

$$\text{i.e. } \frac{\partial s}{\partial a_1} = 0 \quad \text{and} \quad \frac{\partial s}{\partial a_2} = 0$$

$$a_1 \sum_{i=1}^n w_i x_{i1}^2 + a_2 \sum_{i=1}^n w_i x_{i1} x_{i2} + \mu \sum_{i=1}^n w_i x_{i1} = \sum_{i=1}^n w_i y_i x_{i1} \dots (A1.5)$$

$$a_1 \sum_{i=1}^n w_i x_{i1} x_{i2} + a_2 \sum_{i=1}^n w_i x_{i2}^2 + \mu \sum_{i=1}^n w_i x_{i2} = \sum_{i=1}^n w_i y_i x_{i2} \dots (A1.6)$$

Equation A1.2 can be rewritten as follows,

$$a_1 \sum_{i=1}^n w_i x_{i1} + a_2 \sum_{i=1}^n w_i x_{i2} + \mu \sum_{i=1}^n w_i = \sum_{i=1}^n w_i y_i \dots (A1.7)$$

Equations A1.5, A1.6 and A1.7 are three linear equations in three unknowns. Solving for a_1 and a_2 , we get the following expression

$$a_1 = \frac{A_{1y} A_{22} - A_{12} A_{24}}{A_{11} A_{22} - A_{12}^2}$$

and

$$a_2 = \frac{A_{11} A_{2y} - A_{1y} A_{21}}{A_{11} A_{22} - A_{12}^2}$$

where

$$A_{11} = \frac{\sum_{i=1}^n w_i x_{i1}^2 - \frac{\sum_{i=1}^n w_i x_{i1} \sum_{i=1}^n w_i x_{i1}}{\sum_{i=1}^n w_i}}$$

$$A_{22} = \frac{\sum_{i=1}^n w_i x_{i2}^2 - \frac{\sum_{i=1}^n w_i x_{i2} \sum_{i=1}^n w_i x_{i2}}{\sum_{i=1}^n w_i}}$$

$$A_{12} = A_{21} = \frac{\sum_{i=1}^n w_i x_{i1} x_{i2}}{\sum_{i=1}^n w_i} - \frac{\sum_{i=1}^n w_i x_{i1} \sum_{i=1}^n w_i x_{i2}}{\sum_{i=1}^n w_i}$$

$$A_{1y} = \frac{\sum_{i=1}^n w_i y_i x_{i1}}{\sum_{i=1}^n w_i} - \frac{\sum_{i=1}^n w_i y_i \sum_{i=1}^n w_i x_{i1}}{\sum_{i=1}^n w_i}$$

and

$$A_{2y} = \frac{\sum_{i=1}^n w_i y_i x_{i2}}{\sum_{i=1}^n w_i} - \frac{\sum_{i=1}^n w_i y_i \sum_{i=1}^n w_i x_{i2}}{\sum_{i=1}^n w_i}$$

Substituting the above expressions for a_1 and a_2 in equation A1.7 and solving for μ , we get

$$\mu = \left(\sum_{i=1}^n w_i y_i - a_1 \sum_{i=1}^n w_i x_{i1} - a_2 \sum_{i=1}^n w_i x_{i2} \right) / \sum_{i=1}^n w_i$$

from which μ can be computed.

From the above equalities we can obtain k , α and β of equation A1.1 as follows,

$$k = e^{\mu}, \quad \alpha = a_1 \quad \text{and} \quad \beta = -1/a_2$$

APPENDIX II

NOVA-1200 ASSEMBLER CODE, OF THE APPLICATION PROGRAMS FOR THE ON-LINE
COMPUTATION OF CARDIAC OUTPUT FROM THERMODILUTION CURVES

```

LOC 377
JMP START
START: LDA 1, A, STR
SUBZL 1, 1
JSR @A, B1
RST: LDA 0, CCL
LDA @A, PTC
LDA 0, CP
JSR @A, PTC
FINI
LCA 2, 7
JMP *+2
OCS 0, *-1
LDA 0, 121, 2
JMP *+2
LDA 0, *-1
STA NICS ADCV
SKPBZ ADCV
JMP *-1
DIC 0, ADCV
MOV 0, 0, SZR
JMP L3
LCA 0, CSTI
JSR @A, PTC
LCA 1, *+3
JSR @A, BINO
JMP @A, RST
L3: LDA 1111
L3: LDA 0, CI
:START HERE
:LOAD STARTING ADDRESS AT LOCATION 0
:GENERATE 1 IN AC1 - THIS WILL BE DELAY TIME
:BOX 2 - CLEAR DISPLAY
:CLEAR STATUS INDICATORS
:WIDTH FIELD
:SET WIDTH FIELD
:DECIMAL PLACES FIELD
:SET DECIMAL PLACES FIELD
:CHECK ADCV
:DISPLAY 1

```

```

JSR @A,PTC
JSR @A,GTC
LDA 1,CC
SUB# 0,1,SNR
JMP +5
LDA 1,CE
SUB# 0,1,SZR
JMP -6
L4A: L4A
JSR @A,B4
LDA 0,VOUT
STA 0,VI
LDA 0,VOUT+1
STA 0,VI+1
L5: L5
JSR @A,OBIN
STA 1,VI+1
SUB0
STA 1,VI
LDA @A,CCL
JSR @A,PTC
LDA 1,VI+1
JSR @A,BINO
JSR @A,GTC
LDA 1,CC
SUB# 0,1,SNR
JMP +5
LDA 1,CF
SUB# 0,1,SZR
JMP -6
JMP @A,RST
FETR
FFLO
FFXT
LDA @A,CCL
JSR @A,PTC
LDA 0,C2
JSR @A,PTC
JSR @A,B10
L11: JSR @A,GTC
LDA 1,CC
SUB# 0,1,SNR

```

:BOX 3

:BOX 4

:BOX 4A

:BOX 5

:BOX 6

:BOX 8

:BOX 10

:BOX 11

VI

```

+5
1.CF
0.1.SZR
-6
@A.RST
@A.B4
0.VOUT
0.VB
0.VOUT+1
0.VB+1
VB
0.CPTC
@A.PTC
0.CST34
@A.PTC
@A.B12
0.CPTC
@A.PTC
@A.B13
@A.B14
@A.GTC
1.CC
0.1.SZR
-3
@A.B16
L11

```

: BOX 7

: BOX 11A

: BOX 12
: BOX 12A

: BOX 13
: BOX 14
: BOX 15

: BOX 16

```

=====
:ROUTINE TO READ CHARACTERS FROM THE TELETYPE. AS
: EACH CHARACTER IS READ, IT IS ECHOED. IF A CARRIAGE
: RETURN CHARACTER IS INPUT, THE ROUTINE AUTOMATICALLY
: GENERATES A LINE FEED.
: CALLING SEQUENCE:
: OUTPUT:
: TTYIN:
: ACO=CHARACTER RIGHT JUSTIFIED
: STA 3.SGET
: NIOS TTI
: SKPDN TTI
: JMP TTI
: DIAC 0.TTI
: LDA 1.MSK
: AND 1.0
: JSR +10
: LDA 3.CR
: SUB @SZR
: JMP @SGET
: LDA 0.LF
: JSR +3
: LCA 0.CR
: JMP @SGET
: RETURN
: RESTORE CR
: ROUTINE TO OUTPUT CHARACTERS ON THE TELETYPE. IF
: THE CHARACTER OUTPUT IS NULL, THE ROUTINE WILL
: AUTOMATICALLY GENERATE A CR AND LF.
: CALLING SEQUENCE:
: GET CHAR AND CLEAR TTY
: ACI=177
: KEEP RIGHT 7 DITS
: OUTPUT CHARACTER
: CHECK FCR CR
: SKIP IF CR
: NCT CR - RETURN
: CR GENERATE LF

```


SUBZL 1,1 ; GENERATE 1 IN AC1

LDA 3,N
INTEN
JMP +1
JMP +1
JMP -2
SKPDN CPU ; CHECK POWER MONITOR FLAG
JMP +4
LDA C,A,STR
STA C,0 ; SET USUAL RESTART ADDRESS
HALT ; STOP HERE IF POWER FAILURE
LDA C,NUMB
ADD 3,C,SNR
JMP BIRE
ADD 1,3
NIDS FIC
SKPOZ FIC
JMP -1
JMP +1
JMP +1
INTEN
JMP @0

INTRP:

; JUMP TO RETURN ROUTINE.

BIRE:

LDA 0,STATE
STA 0,C,STATE
LDA 0,C,CARRY
MOVR 0,0
LDA 0,ESAV
LDA 1,ESAV+1
LDA 2,ESAV+2
LDA 3,EIRA
JMP 0,3

; RESTORE LOCATION 0

; RESTORE CARRY

; RESTORE ACCUMULATORS 0-3

BIRA: 0
STATF: 0
DSAV: 0
BLK 5
NUMB: 0
CARRY: 0
N: 0

=====
: B 4 IS THE MODULE WHICH
: 1) MEASURES VOLTAGE CORRESPONDING TO TEMPERATURE (IN M UNITS)
: 2) STORES THE VALUE IN VCUT (IN DPF FORMAT)
B4: STA 3,B4RT ; SAVE RETURN
NICS ADCV
SKPBZ ADCV
JMP -1
DIC 0,ADCV
MOV 0,0,SZF

```

+7
0.CST1
@A.PTC
1..+3
@A.BINC
@A.RST
2222
0.VOUT+1 :BOX 4 - VALUE IS STORED IN DPF FORMAT
0.0
0.VOUT
@B4RT
JMP 000

```

```

=====
B4RT : 000
=====
: B10 IS THE MODULE WHICH
: 1) GETS THE VALUE OF BSA FROM THE TTI
: 2) PRINTS THE VALUE OF BSA ON THE TIO
: IT IS NECESSARY TO USE THE FLOATING POINT
: INTERPRETER WITH THIS ROUTINE
=====

```

```

B10: STA 3,B10RT :STORE RETURN ADDRESS
FINI :INITIALIZE INTERPRETER
FETR :ENTER INTERPRETER
FDFC 0 :GET BSA AND ENTER IN ACO
FLDA 1, B10RT+1
FDIV 2,1
FAOD 1,0
FDCCF 0
FSTA 0,BSA
FEXT JMP @B10RT

```

```

=====
:PRINT THE VALUE JUST OBTAINED
:STORE THE VALUE IN BSA
:EXIT FRGM INTERPRETER
:RETURN
=====

```

```

B10RT: CCG :100 F.P.
001144
000000

```

```

=====
B12: INTDS :STORE RETURN ADDRESS

```

```

STA 3,B12RT :INITIALIZE I TO 0
SUBO 0,0
STA 0,I
LCA 0,FREQ
JMP +1
COAS 0,RTC :SET RTC WITH FREQUENCY FREQ
LDA 0,C+1
STA 0,21
LDA 1,MASK :SET MASK
MSKO 1
JMP +2
ISR

```

```

:LOAD ADDRESS OF ISR IN 000001
1,.-1
1,1
+1
2,NSAMP
MOV 2,3
3,2
2,30
2,C+1
2,20
SUBO 0,0
STA 0,@20
ISZ 30
JMP -2
SUBZL 1,1
INTEN
JMP +1
JMP +1
JMP -2
SKPDN CPU
JMP +4
LDA 0,A,STR
HALT
LDA 3,1
LCA 0,NSAMP
ADD 3,0,SNR
JMP B12CN
ADD 1,3
STA 3,1
N105 RTC
SKPDZ RTC
JMP -1
JMP +1
JMP +1
N105 ADCV
SKPBZ ADCV
JMP -1
JMP 0,ADCV
JMP 0,0,SZR
+1
0,CPTC
LDA @A,PTC
LDA 0,CSTI
LCA @A,PTC
LCA 1,0,+3
JMP @A,BIND
JMP @A,LIJ

```

```

:CHECK POWER MONITOR FLAG
:SET USUAL RESTART ADDRESS
:STOP HERE IF POWER FAILURE

```

```

:START OF ERROR ROUTINE

```

```

ISR:

```

:END OF ERROR ROUTINE

3333 LDA 2.021
STA 0.021
INTEN @0
JMP @0

I: RDX 10
NSAMP: -200 8

FREQ: CC0001 :FREQUENCY CCDE CF RTC

B12CN: LDA 3.A.STR
STA 3.0 :LOAD STARTING ADDRESS IN .LOC 0
LDA 2.NSAMP
STA 2.I
LDA 2.C

L35: FIC2 0.2 :ENTER F.P. INTERPRETER
FISZ I :INCREASE ADDRESS BY 2
FJMP L35 :FLOAT
FEXT
JMP @B12RT

C: .PLK 620 :RESERVE 400 LOCATIONS FOR
JMP .+1

=====
B13: STA 3.CRFET :SAVE RETURN ADDRESS
FINI :INITIALIZE INTERPRETER
FETR :ENTER INTERPRETER
FSUB 0.0 :PROGRAM INITIALIZATION - BOX 2
FSTA 0.XX1
FLD3 @CADD+1 :ADDRESS OF CI STORED IN TMP+1
FST3 TMP1+1 - BOX 3
FLCA 0.CRM10
FADD 1.CRFNE
FJMP 1.0.FSLE
FLDA LI
FISZ 2.XX1
FLCA TMP1+1
FJMP 3.@TMP1+1
FACD .+1
3.2

C883L:

```

FSTA 2,XX1
FLCA 2,XX2
FMPY 3,3
FACO 3,2
FSTA 2,XX2
FJMP CRB3L
FLCA 0,XX1
FSTA 0,FMSTD+1
FLDA 0,XX2
FSTA 0,FMSTD+3
FLDA 0,CRN10
FPO6 0,1
FSTA 1,FMSTD+5
FJSR FMSTC
FJMP B6

```

:PREPARE FOR BOX 5

:BOX 5

:FLCATING SUBROUTINE FMSTD-----
:THIS SUBROUTINE ASSUMES THAT THE PARAMETER LIST IS STORED
:IMMEDIATELY AFTER ITS FIRST LINE OF CODE THUS:
FMSYD: FJMP ETC.
SX1 - FL
SX2 - FL
N - FL
AVG - FL
STD - FL

```

FJMP .+12
BLK 12 :RESERVE 10 LOCATIONS
FLCA 3,FMSTD+1
FMCV 3,2
FLDA 1,FMSTD+5
FDIV 1,3
FSTA 3,FMSTD+7
FMEY 2,3
FLCA 2,FMSTD+3
FSLB 3,+6
FLCA 3,1
FSLB 1,2
FSCR 2,2
FSTA 2,FMSTD+11
FJMP 0,3 :FLOATING POINT I
040420
0
: END OF SUBROUTINE FMSTD-----

```

: I IS STORED IN FAC0 - BOX 6

FLDA 0,CRM10
FPCS 0,0
FLDA 1,CRFNE
FACD 1,0
FLCA 2,NP
FSURM 0,2,FSGE
EJMP ERROR

: ERROR EXIT FROM BOX 6

FISZ TMP1+1
FLCA 2,@TMP1+1
FLCA 3,FMSID+7
FPCS 3,2
FLCA 3,FMSTD+11
FACD 1,3
FACD 3,3
FADD 3,2,FSLT
FSUB L10
FJMP B6A

: FAC3 CONTAINS STD

ERROR:

LCA 0,CST1
JSR @A.PTC
LDA 1,+3
JSR @A.BIND
JMP @A.L11
4444

: ADDRESS OF FIRST ELEMENT OF C

CADD:

CRRET:
XX1:

: SFX - RETURN ADDRESS
: FL

XX2: 0 :FL

CRM10:

: FL - FLOATING POINT -10

TMF1:

I2:

I1:

RL:

L10:

FSUB 0,I2
FSTA 1,0
FDSZ TMP1+1
FDS7 TMP1+1

: J IN FAC0 - BOX 10

: TMP1+1 CONTAINS ADD(CJ)

```

811:      2,@TMP1+1      :      BOX 11
FLDA    1,FMSTD+7
FSUB    3,2
FPCS    2
FLDA    3,FMSTD+11
FSUR    3,2,FSGT      :TRUE EXIT FROM BOX 11
FJMP    L13           :      BOX 12
FSUB    1,0
FDSZ    TMP1+1
FDSZ    TMP1+1
FJMP    0,11
FSTA    0,11
FSTA    2,FMSTD+7      :      BOX 13
FSTA    2,BL
FLD3    TMP1+1
FST3    TMP2
FSTA    2,CMIN
FLCA    3,NP          :BOX 13A - NP IN FAC3
FSUR#   3,0,FSLE
FJMP    L13D
FLCA    3,@TMP1+1    :TMP1+1 CONTAINS ADD(C(I)) - BOX 13B
FSUR#   2,3,FSLE
FJMP    INC13
FMCV    3,2          :BOX 13C
FSTA    2,CMIN
FSTA    0,13
FACD    1,0
FISZ    TMP1+1
FISZ    TMP1+1
FJMP    L13A
FLDA    0,BL
FSUB    2,0
FLCA    3,DT
FMPY    0,3
FLCA    0,BL
FSUB    3,0
FSTA    0,CRIT
FLC3    CADD+1
FST3    TMP1+1
FFLO    TMP1
FLCA    0,TMFI
FLDA    3,13
FADD    3,0
FACD    0,TMFI
FSTA    0,TMFI
FFIX    TMP1
FLCA    2,CRIT
FLDA    0,MP
L13:
L13A:
L13B:
L13C:
L13D:
L13E:

```

```

FSUB# 0.3.FSLE
FJMP L13H
FLDA 0.0.TMPI+1 :BOX 13F
FSUB# 2.0.FSLT
FJMP L13G
FADD 1.3
FISZ TMP1+1
FISZ TMP1+1
FJMP L13E
FSTA 3.14 :BOX 13G
FJMP L14

```

```

L13G:
CMIN:
I2:
CRIT:
I4:
TMP2:

```

```

3.NP :BOX 13H
3.14
TMP2
TMP1+1 :BOX 14
3.3
3.SX1
3.SX2
3.XI2
3.SX1S
3.SX2S
3.SX1Y
3.SX2Y
3.SY
3.SW :BOX 15
0.11
1.0
0.0.MF2
TMP1+1
TMP1+1
2.14
2.0.FSLE :TRUE EXIT FROM BOX 15
L18 :BOX 16
0.XI2
1.0T
1.0
0.XI2

```

```

L15:

```

```

FLCA
FSTA
FLD3
FST3
FSUB
FSTA
FSTA
FSTA
FSTA
FSTA
FSTA
FSTA
FSTA
FLDA
FADD
FSTA
FISZ
FISZ
FLCA
FSUB#
FJMP
FLCA
FLCA
FADD
FSTA

```

```

FALG 0.1
FLCA 2.0@TPI+1
FLDA 3.0BL
FSLB 3.2
FPCS 2.2
FJMP .+1
FALG .+1
FMCV 2.2
FMPY 2.3
FSTA 3.3
FMCV 2.Y1
FMPY 3.2
FLCA 1.2
FACD 0.SX1
FSTA 2.0
FMFY 0.SX1
FLDA 2.1
FACD 0.SX1S
FSTA 1.0
FLCA 0.SX1S
FMFY 1.X12
FLCA 2.1
FACD 0.SX12
FSTA 1.0
FMFY 0.SX12
FLDA 1.Y1
FMPY 2.1
FLDA 0.SX1Y
FACD 1.0
FSTA 0.SX1Y
FMCV 2.X12
FMPY 3.2
FLDA 0.SX2
FACD 2.0
FSTA 0.SX2
FMFY 2.1
FLCA 0.SX2S
FSTA 1.0
FMFY 0.SX2S
FLCA 1.Y1
FMPY 1.2
FLCA 0.SX2Y
FACD 2.0
FSTA 0.SX2Y
FMFY 3.1
FACD 0.SY
FSTA 1.0
FMPY 0.SY
FSTA 0.SY

```

: BOX 17

:CALC SX1

:CALC SX1S

:CALC SX12

:CALC SX1Y

:CALC SX2

:CALC SX2S

:CALC SX2Y

:CALC SY

```

FLCA 0. SW
FADD 3.0
FSTA 0. SW
FLDA 1. CRFKE
FJMP L15

```

:CALC SW

:FL 0.1 SEC = TIME BETWEEN SAMPLES

```

YI: 0
DY: 040031
SX1: 114631
SX2: 0
SX1S: 0
SX12: 0
SX1Y: 0
SX2S: 0
SX2Y: 0
SY: 0
SW: 0
X1S: 0
X12: 0
X1Y: 0
X2S: 0
X2Y: 0
A1: 0
GAM: 0
D: 0
ALPHA: 0
B: 0

```

XK:

XI2:

CART1:

LIB:

```

0 0 0 0 040420 :FL - FLOATING POINT 1
0000
CRRET
FLDA 3.SW : BDX 18
FMCV 1.2
FMRY 1.2
FDIV 3.2
FLCA 0.SX1S :CALC X1S
FSLB 2.0
FSTA 0.X1S
FLCA 2.SX2
FMFY 1.2
FDIV 3.2
FLCA 0.SX12 :CALC X12
FSLB 2.0
FSTA 0.X12
FLCA 2.SY
FMFY 1.2
FDIV 3.2
FLCA 0.SX1Y :CALC X1Y
FSLB 2.0
FSTA 0.X1Y
FLCA 1.SX2
FMCV 1.2
FDIV 3.2
FLCA 0.SX2S :CALC X2S
FSLB 2.0
FSTA 0.X2S
FLDA 2.SY
FMFY 1.2
FDIV 3.2
FLCA 0.SX2Y :CALC X2Y
FSLB 2.0
FSTA 0.X2Y
FLDA 0.X1S
FLCA 1.X2S
FLCA 2.X12
FMFY 2.2
FSLB 0.1
FSTA 2.1 :CALC D
FLCA 1.D
FLCA 0.X2S

```

```

FLCA 2.X1Y
FMPY 0.X2
FLCA 0.X12
FLCA 3.X2Y
FMPY 0.X3
FMSUB 3.X2
FDIV 1.2
FSTA 2.ALPHA
FLDA 2.X1Y
FMPY 0.X2
FLDA 0.X15
FLDA 3.X2Y
FMPY 0.X3
FMSUB 2.X3
FDIV 3.1
FPCS 1.1
FSTA 1.R
FLDA 0.SX2
FDIV 1.0
FLCA 1.ALPHA
FLDA 2.SX1
FMPY 2.1
FLDA 2.SY
FMSUB 1.2
FACD 0.2
FLCA 3.SW
FDIV 3.2
FEXP 2.2
FSTA 2.XK
FLCA 0.ALPHA
FLDA 1.X1F+2
FACD 1.0
FSTA 0.A1
FJER @A.GAM
FSTA 0.GAM
FLCA 2.B
FLCA 1.A1
FALG 2.2
FMPY 2.1
FEXP 1.1
FLDA 2.XK
FMPY 0.2
FSTA 1.2
FEXT 2.AREA
LDA 3.CRETI
LCA 2.27
MCV 2.2.SNR

```

:CALC ALPHA

:CALC B

:BOX 19
:LOAD 1.0 IN FAC1

:BOX 20

:BOX 21

```

JMP @0.3
LCA @A.PTC
JSR 1.+.5
LDA @A.BINO
SUBO 0.0
STA 0.07
JMF @A.L11
5555

```

=====
: MEANS OVERFLOW OCCURRED IN THIS SUBROUTINE
=====

BI4: STA 3.BI4RT

: COMPUTE CARDIAC OUTPUT

```

FETR 0.DTA
FLCA 1.DTA+2
FLCA 2.DTA+4
FLCA 3.DTA+6
FMPY 1.0
FMPY 2.0
FMPY 3.0
FLCA 2.VB
FLCA 3.VI
FSUB 3.2
FMPY 2.0
FLCA 1.AREA
FCIV 1.0
FLCA 3.GRAY
FMPY 3.0
FLCA 3.DTA+10
FMPY 3.0
FSTA 0.CO
FFDCF 0
FEXT

```

```

9 LDA 3.BI4RT
LDA 2.07
MOV 2.2.SNR
JMF 0.3
LCA @A.PTC
JSR 1.+.5
LCA @A.BINO
SUBO 0.0
STA 0.07
JMF @A.L11
6666

```

: MEANS OVERFLOW OCCURRED IN THIS SUBROUTINE

BI4RT: 000

=====
: BI4 IS THE MODULE THAT COMPUTES THE CARDIAC INDEX. FACO CONTAINS
: THE RESULT AND IT IS STORED IN CI. THE ROUTINE ALSO PRINTS THE RESULT ON THE
=====

ITTO. IT IS NECESSARY TO USE THE F.P.I. WITH THIS ROUTINE.
 BI6: STA 3.BI6RT
 FINI
 FETR 0.CO
 FLCA 1.BSA
 FDIV 1.0
 FSTA 0.CI
 FDCFC 0
 FEXT

:EXIT FROM INTERPRETER
 :RETURN

BI6RT: 000
 JMP @BI6RT

=====

GAMMA: FST3 TEMP: SAVE RETURN ADDR.
 FLD3 ADC7: ADDR. OF HIGH ORDER GY
 : CCEF. IN HARDWARE AC3
 FLDA 1.MAXA: MAX ARG FOR GF
 FSUBW 1.0.FSLE
 FJMP OVFL : GO TO OVFL IF ARG>MAXA
 FSTA 0.X : SAVE GF ARG IN X
 FLDA 1.ZERO
 FSTA 1.IER : ICR=0:0
 FLDA 1.ONE
 FSTA 1.GX :GX=1.0
 FLDA 1.TWO
 FSUB# 1.0.FSLE : SKIP IF X LESS THAN
 : CP EQUAL 2.0

FJMP GT2 : JMF IF X>2.
 FLDA 1.ONE
 FSUB# 1.0.FSLE: SKIP IF X LESS THAN
 : OR EQUAL 1.0
 FJMP S110: X>1.0
 FSUB# 1.0.FSLE: SKIP IF X=1.0
 FJMP LTI : X<1.0
 FLDA 0.GX
 FJMP @TEMP:X=1.RETURN. CORR.TO
 : STMT 120 OF FORT. FRCG.

LTI: FLCA 1.ERR
 FSUB# 1.0.FSLE: SKIP IF XC OR ≠ ERR.
 FJMP GTERR : X>ERR. STMT 80

FSTA 0.K
 FFIX K
 FFCLC K
 FLDA 1.K : FLOAT(K)-X IN FAC1
 FSUB 0.1 : STICHE IN Y
 FSTA 1.Y : STICHE IN Y
 FPOS 1.2: ABS(Y) IN FAC2
 FLDA 3.ERR

```

FSUB# 3.2,FSLE: SKIP IF ABS(Y) < OR
: FERR
FJMP NEXT: ABS(Y)>ERR. STMT 64
FLDA 1,ONE
FSTA 1,IER: IER=1.0. STMT 130
FLDA 0,GX
FJMP @TEMP: RETURN
FLDA 2,ONE
FSUB 1.2: 1.C-Y IN FAC2
:ERR STILL IN FAC3
FSUB# 3.2,FSLE: SKIP IF 1.0-Y
: LESS THAN OR EQ. ERR
FJMP S70: 1-Y>ERR. STMT 70
FJMP BACK: STMT 130,IER=1.0
FLDA 1,ONE
FSUE# 1.0,FSLE:SKIP IF X<OR EQ.1.0
FJMP S110: X>1.0. JMF TO S110
FLCA 1,ONE
FLDA 2,GX:STMT 80
FDIV 0.2: G>X IN FAC2
FSTA 2,GX: GX=GX/X
FADD 1.0: X=X+1.0
FJMP S70A: JUMP TO TEST IF X<OR EQ 1.0
FLCA 1,TWO
FSTA 1,IER: IFR=2.
FLDA 0,LARGE: IC**38 IN FAC0
FSTA 0,GX:GX=10**38
FJMP @TEMP: RETURN WITH GX IN FAC0
FLDA 1,ONE
FSUB 1.0: X-1.0 IN FAC0
FSTA 0,X: X=X-1.0
FLDA 2,GX
FMPY 0.2: GX*X IN FAC2
FSTA 2,GX: GX=GX*X
FLCA 3,TWO
FSUB# 3.0,FSLE: SKIP IF X<OR EQ 2.0
FJMP LOOP: X>2. JMP BACK AND DECR X
FLDA 1,ONE
FSUB 1.0: X-1.0 IN FAC0
: POLYNOMIAL EVALUATION BEGINS. POLY VALUE
: WILL BE IN FAC0
FMOV 0.2: Y=X-1.0 IN FAC2
FLDA 0,ZERO: LCLAR FAC0
FLPY1: FLDA 1.0.3: GET CCEF(HIGH ORDER FIRST)
FMOV 1.1,FSNR: SKIP IF COEF#NON ZERO
FJMP POLY: CCEF.0,END OF TABLE
FMPY 2.0: SUM*Y IN FAC0

```

```

FADD 1.0 :SUM*Y+COEF
FIC3 : BUMP POINTER TO NEXT COEF.
FJMP FLRY1
EMPY 2.0 : MULT BY Y AGAIN
FLDA 1.0,ONE :GX IN FAC0
FLDA 1.0,GX :GY*GX IN FAC0
FMPY 1.0 :TEMP; RETURN WITH GX IN FAC0
FJMP
MAXA: 041042 : MAX ARG FOR GF(34.0)
TWO : 000000 : 2.0
LARGE: 060113 : 10**38
ERR: 036020 : 10**6
ZERF: 000000 : 0.0
ONE: 040420 : 1.0
GC7: 137722 : -.CE14993
170355 : .2548205
040101 : -.56E4729
140221 : .8328212
103560 : -.8764218
040325 :
C31704 :
140340 :
056455 :
C40374 :
060355 :
140223 :
136357 :
000000 :
C00000 :
C00000 : FOR ERROR CCDE
C00000 : GF VALUE
C00000 : FOR SAVING GF ARG
C00000 : FOR FIXED PT X
C00000 : FOR STORING Y
C00000 : ADDR. OF HIGH ORDER GY COEF.
C00000 : FOR SAVING BETWEEN ADDR

```

```

PCLY:
MAXA:
TWO :
LARGE:
ERR:
ZERF:
ONE:
GC7:
IER:
GX:
X:
K:
Y:
ADC7:
MEMB:

```

: DUMMY VALUE TO INDICATE END OF TABLE

: -5771017

LOCATION 41 OF PAGE 0
CAUTION: RESULT IS N MOD 200000 (OCTAL)
E.G. 576452* CONVERTS TO 176452

DESTROYED: AC0,AC1,AC3,CARRY
UNCHANGED: AC2

```

.CENI: STA 3..EE03
      STA 2..EE02
      LDA 0..EE22
      JSR @.EE41
      SUB 0,0
      JSR @.FE41
      JMP +3
.OBIN: STA 3..EE03
      STA 2..RE02
      SUB 1,1
      STA 1..EE10
      JSR @.EE40
      LDA 2..EE20
      LDA 3..EE21
      ADCZ# 3,0,SNC
      ADCZ# 0,2,SZC
      JMP .EE99
      SUB 2,0
      LDA 1..EE10
      MOVZL 1,1
      MOVZL 1,1
      MOVZL 1,1
      ADC 0,1
      STA 1..EE10
      JMP .EE98
.EE99: LDA 2..EE02
      LDA 1..EE10
      JMP @.EE03

```

```

.FE02: 0
.FE03: 0
.EE10: 0
.EE20: 60
.EE21: 67
.EE22: "0
      .EE40=40
      .EE41=41

```

```

=====
: BINARY TO OCTAL ACSII CONVERT
: CONVERTS A 16-BIT BINARY WORD TO AN OCTAL ASCII CHARACTER STRING,
=====
: INBIT: N IN AC1

```

```

:SAVE RETURN
:SAVE AC2
:SEND *0*
:SEND NULL
:SAVE RETURN
:SAVE AC2
:CLEAR RESULT WORD.
:GET A DIGIT
:OCTAL 60
:OCTAL 67
:TEST FOR 60 <=N<=67
:NO - MUST BE BREAK CHARACTER
:PUT N IN RANGE 0-7
:SHIFT SUM

```

```

:LOOP TILL BREAK RECEIVED
:RESTORE AC2
:ANSWER TO AC1
:AND RETURN
:SAVE AC2
:SAVE RETURN
:STORAGE FOR RESULTS
:ASCII '0'
:ASCII '7'
:ASCII '0'
:PAGE 0 ADDRESS OF GET A CHARRACTER ROUTINE
:PAGE 0 ADDRESS OF PUT CHARACTER ROUTINE
=====

```

```

: OUTPUT: ASCII CHARACTER STRING, TERMINATED BY A NULL CHARACTER
: CHARACTERS PASSED RIGHT ADJUSTED IN AC0 TO THE USER ROUTINE
: WPCSE ADDRESS MUST BE STORED IN LOCATION 41 OF PAGE 0

```

```

: STRING OF FORM: CCCCC( NULL )
: WHERE "Q.S" REPRESENT OCTAL DIGITS

```

```

: CALLING SEQUENCE:
: JSR .EIND
: RETURN

```

```

: DESTROYED: AC0, AC1, AC3, CARRY
: UNCHANGED: AC2

```

```

: BINC: STA 3.EF03
: STA 2.EF02
: SUBZR 2.2.SKF
: SUB 2.1.SKB
: LDA 0.EF20
: INC 0.0
: SNEZL# 2.1.SNC
: JMP .EF99
: STA 2.EF1C
: JSR 0.EF40
: LDA 2.EF1C
: MCVZR 2.2
: MCVZR 2.2.SZR
: JMP .EF98
: MCV 2.0
: JSR 0.EF40
: LDA 2.EF02
: JMP 0.EF03

```

```

: EFC2: 0
: EF03: 0
: EF1C: 0
: EF20: 57
: FF40=41

```

```

: PROGRAM TO OUTPUT 200 SAMPLES OF DATA COLLECTED

```

```

LDA 1.PT200+4
STA 1.PT200
LDA 2.PT200+3
STA 2.PT200+5
LDA 2.PT200+6
STA 2.PT200+7

```

: OUTPUT TO TTY

```

: SAVE RETURN
: *SAVE AC2
: 10000 TO AC2
: DECREASE CURRENT DIGIT BY 1
: GET CCTL 57
: FORM ASCII OUTPUT DIGIT
: IMPLIES DIGIT COMPLETE
: NOT DONE. SUBTRACT 1 FROM CURRENT DIGIT
: SAVE SUBTRACT CONSTANT
: PUT OUT A DIGIT
: RESTORE SUBTRACT CONSTANT
: POSITION "1" FOR NEXT OCTAL DIGIT

```

```

: *RESTORE AC2
: RETURN
: *SAVE AC2
: SAVE RETURN
: SAVE LOCATION FOR SUBTRACT CONSTANT
: ASCII CONSTANT
: PAGE 0 ADDRESS OF PUT CHARACTER ADDRESS

```

```

STA 2.41
RETR: RETR 0,@PT200
      FLDA 0,PT200+1
      FSTX PT200+1
      FEFT 1,PT200+2
      LDA @A,BINO
      JSR PT200
      ISZ PT200
      DSZ PT200+5
      JMP RETN
      LDA 2,PT200+10 ;OUTPUT TO FUNCTIONAL KEYBOARD
      STA 2.40
      LDA 2,PT200+11
      STA 2.41
      HALT

```

```

PT200: 000
        C00
        C00
        310
        C+2
        C00
        TTYIN
        TTYCT
        FKIN
        FKCT
        .END

```

```

;ADDRESS OF NUMBER TO BE PRINTED
;VALUE OF F.P. NUMBER TO BE PRINTED
;310 = 200 (DECIMAL)

```

CP

NCVA-1200 SYSTEM SUPPORT PROGRAMS

I NCVA-1200 SYSTEM INITIALIZATION

377 LDC 7

3730 LDC 40

A.GTC: FKIN
A.PIC: FKOT

LDC 50

ESA: 000

DIA: 040421

043656

040323

031463

041074

000000

040640

000000

C37101

104467

AREA: 0

NP: 041310

000000

CO: 000

000

000

000

000

000

000

000

000

000

000

000

000

000

000

000

000

000

000

:BODY/SURFACE AREA

:FL - PCP(5% DEXTROSE)/PCP(BLOOD)

:FL = 1.08

:FL - CORRECTION FOR INJECTATE TEMPERATURE RISE

:FL = 0.825

:FL - SECONDS/MINUTE

:FL = 60

:FL - VOLUME OF INJECTATE

:FL = 10 ML

:FL - LITRES/ML

:FL = 0.001

:NUMBER OF SAMPLES = 200

:CARDIAC OUTPUT

:CARDIAC INDEX

:GAIN RATIO = 11.3

:SMALL NUMBER = 0.1

:FL - FLOATING POINT 1

CRFNE: 040420

0

```

MASK: 177773
A.SIR: START-1
A.RST: RST
A.B1: B1
A.B4: B4
A.B10: B10
A.B12: B12
A.B13: B13
A.B14: B14
A.B16: B16
A.GAM: GAMMA
A.CEIN: .CEIN
A.BIND: .BIND
A.L11: L11
: FUNCTIONAL KEYBOARD (RT01) DISPLAY CONTROL CHARACTERS
C0: "0" :LOAD AND DISPLAY 0
C1: "1" :LOAD AND DISPLAY 1
C2: "2" :LOAD AND DISPLAY 2
C3: "3" :LOAD AND DISPLAY 3
C4: "4" :LOAD AND DISPLAY 4
C5: "5" :LOAD AND DISPLAY 5
C6: "6" :LOAD AND DISPLAY 6
C7: "7" :LOAD AND DISPLAY 7
C8: "8" :LOAD AND DISPLAY 8
C9: "9" :LOAD AND DISPLAY 9
CBL: " " :LOAD AND DISPLAY A BLANK
CCL: " " :CLEAR DISPLAY
: FUNCTIONAL KEYBOARD (RT01) ENTER AND DISPLAY A DECIMAL POINT
CP: "P" :STATUS INDICATOR CONTROL CHARACTERS
CST1: "Q" :CLEAR STATUS INDICATORS
CST2: "R" :SET STATUS INDICATOR 1
CST3: "T" :SET STATUS INDICATOR 2
CST4: "X" :SET STATUS INDICATOR 3
CST134: "134" :SET STATUS INDICATORS 3 AND 4
: FUNCTIONAL KEYBOARD (RT01) TRANSMIT CHARACTERS
CA: "A"
CB: "B"
CC: "C"
CD: "D"
CE: "E"
CF: "F"
CPU=77

```

DEBUG PROGRAM

```

LOC 3260
CPU=77
A:LSZ RPSWT:START HERE
STA 0,ACS:SAVE ACS
STA 1,ACS+1
STA 2,ACS+2
STA 3,ACS+3
LDA 0,INST:SETUP BREAK INSTRUCTION
STA 0,PIINST
LDA 0,PAADDR:PEAK MAY BE CHANGED
STA 0,PAADDR
SUBCP 2,2:SAVE CARRY
SKPZ CPU:REMEMBER STATE OF
INC 2,2:INTERRUPT FLOP
C77:NICC CPL:TURN OF INTERRUPT
STA 2,ACS+4:CARRY SAVE
SKPZ TIO:REMEMBER THE STATE OF
JMP TIO:TO DONE FLAG
SKPZ TIO
ACC 2,2
STA 2,IFLAG
LDA 1,PAADDR:IF ENTERED VIA
LSZ RPSWT:BREAK POINT TYPE THE
AA:JSR POCT:BREAK PCINT ADDRESS.
LDA 0,C15
JSR TYPE:ECHO CARRIAGE RETURN.
AA:PA 0,C12:TYPE LINE FEED
JSR TYPE
STA 0,OPEN:REGISTER OPEN/CLOSE
SUB 2,2
STA 2,RPSWT:FREAK FCINT SWITCH.
STA 2,DIN:DATA TYPED SWITCH
SKPZ 771
JMP 771
DIAC 0,TTL:INPUT A CHAR
FB:JSR TYPE:ECHO
LDA 3,C177
AND 3,0:MASK PARITY
LDA 3,C70:CHECK FOR A DIGIT

```

```

ACCZ# 0,3,SZC
LCA 3,C#60
ADD 0,3,567
JSP SERH:INCO A DIGIT 0-7
CC:157 DIN: DIGIT SWITCH
WCVZ# 2,2: ASSEMBLE DIGITS
ADDZL 2,2
ADD 3,2,3NC:SKIP IF EXTRA DIGIT.
JMF 3H-3
GCCF:LDA 0,C77:OPERATOR ERROR
JMF 7A-1
SERH:LDA 1,X,3:SPECIAL CHARACTER SEARCH
WCVL# 1,1,SZC
JMF GCCF:OPERATOR COOF
C4C:INCO 3,3
SUBZ 0,1,S76:CHECK CHAR WITH TABLE
JMF SERH:INCO YET FCUND
JMR 37+X,3:A FIND
ACS: 0:AC STORAGE AREA
0
0
0
0
0
RACDR:INST
INST:JMP GCCF
PINST:0
LINE:NDVZ 0,0:LINE FEED TYPED
CARR:LDA 0,C15:CARRIAGE TYPED
JMR TYPE:TIME DELAY FOR TTY.
JMR TYPE
LCA 3,EXAM
LCA 1,OPEN
LCA 0,DIN
ACCZ# 0,1,SZC:TEST FOR OPEN REGISTER DATA
STA 2,0,3
IAC 3,1,SZC
JMF AA:CARRIAGE EXIT
STA 1,EXAM:LINE FEED CONT
JMR PCT
LCA 3,EXAM
JMR 3,0,3
STA 2,EXAM:SLASH TYPED
LCA 0,ADDR:IF OPENED REGISTER
LCA 1,INST:IS LAST BREAK POINT
SUBW 0,2,SNF:DEN'T OPEN PUT
JMF AA:PRINT CORRECT INST.
LCA 1,C,2
JMR PCT

```

```

ADC 0,0:OPEN A REGISTER
JMP A7+2
PCCI:STA 3,CIN:OCTAL PRINT C(I)
LDA 0,C40
JMP TYPE:PRINT SPACE.
SOPR 2,2,SKP
SOPR 2,1,SKP
LDA 0,C57
CINCC:INC 0,0
SOPR 2,1,SZC
JMP PCCI+4
JMP TYPE
MVER 2,2
MVER 2,2,$ZR
JMP PCCI+5:ANOTHER DIGIT
LDA 0,C40:EXIT WITH SPACE
JMP TYPE
JMP RDIN
TYPE:DDAS 0,TTO:SENC CHAR TO TYPE
SOPRZ TIO
C777:JMP -1
JMP 0,3
CA:A+1
REWT:0
CJMP4:JMP 610
C76:70
PADDR:0
BIN:0
IFLAG:0
CFEN:0
C12:12:LINE FEED
C15:15:CARRIAGE
101:A
102:BREAK
120:PROCEED
C57:57:SLASH
122:RUN
CM60:-60:TERMINATOR
LINE
CAFR
ATYP
B
PRC
SLASH
R
B:LDA 0,INST:BREAK LOGIC
STA 0,@ADDR:RESTORE PREVIOUS BREAK

```

```

LDA 0,0,2
STA 0,INST:INST AT BREAK POINT
STA 2,BADDR
LDA 0,CJMP4
STA 0,EBADDR
JMF AA-2
XEC12-CC
LEA 2,FAODR
INCZL 1,1,SKF:C(1)=+2
R:LDA 0,CEX:GO CCMAND
ADD 1,2,SNR
JVP GCGF:RUN NEEDS A ADDRESS
STA 2,DIN
LEA 0,CA
STA 0,10:SEL BREAK PCINT RETURN
LDA 0,PCS:RESTORE AC 0-3
LCA 1,ACS+1
LDA 2,ACS+2
LBA 3,ACS+4
ISZ TFLAG
NIEC TTO
NAGE 3,3,SKP
RELADR:0:ADDRESS FOR PC RELATIVE.
STA 3,ACS+4
LCA 3,ACS+2:RESTORE AC-3
DSZ ACS+4:PERHAPS TURN ON
CI77:NIOS CFL:INTERRUPT SYSTEM
EXM:0:JMP IF G,INST IF P
CSZ/DIN,-1 ADDRESS IF NO SKIP
EXIT:JMP @DIN
CEX:DIN-EXAM@2777:A JMP @DIN INSTRUCTION
PRC:LDA 0,P:INST:PROCEED FROM BREAK
LDA 2,C1A0C:CHECK IF INST IS
LDA 3,C777:RELATIVE TO PC
ANDL 3,2,SAC
ADC 3,2,SZR
JMC R-2:NOT PC RELATIVE
PRC1:MCVZR 3,1:DISPLACEMENT SIGN
ANC 1,0:EXTENSION.
INCZR 1,1:C(1)=200,EBIT R(1)
ANDZL 0,1,SZR:C(3)=777,C(1)=400
SUB 1,0:C(C)=+- DISPLACEMENT
LDA@2,FAODR:PROCEED ADDRESS
ADCL 0,2
PRC2:LDA 0,P:INST:MAKE PROCEED INST
CCW 3,1:INDIRECT AND RELATIVE
INCZL 3,3:TC/CALCULATED ADDRESS.

```

ANDO 1:3 SNF
 ANDZ 3:0: INSERT @ EIT IN INST
 MCVR 2:2: IF @ INSERT @ IN
 STA 2: RELADR: THE EFFECTIVE ADDRESS
 LDA 2: CM5
 ADD 2:0: THE ADDRESS PART TO INST
 SUF 1:1
 JMF R-2
 CM5:773
 A
 JMF @:-1: ANOTHER PLACE TO START.

```

ANDD 1,0
AND# 0,3,SNF
ADDZ 3,0;INSERT @ BIT IN INST
MCLR 2,2;IF @ INSERT @ IN
STA 2,RELACR;THE EFFECTIVE ADDRESS.
LDA 2,CMS
ADC 2,0;THE ADDRESS PART TO INST.
SUF 1,1
JMF R-2
CMS:773
A
JMF @.-1;ANOTHER PLACE TO START.

```


AUXILIARY LOADER

```

:AUXILIARY LOADER
GET:  SURZL 1,1
      PCVS 1,1
      SKPDN TTI
      JMP 0,-1
      DIAS 0,TTI
      ADD 0,1,SZC
      JMP 0,3
      ADCL 1,1
      ADCL 1,1
      ADCL 1,1
      ADCL 1,1
      JMP GET+2
      NICS TTI
      LDA 2,ADDR
      STA 2,20
      JSR GET
      STA 1,20
      JMP 0,-2
      ADDR: 1256

```

: START HERE

APPENDIX III

PROGRAM FOR DIGITAL SIMULATION OF THERMO-DILUTION CURVES

```

DIMENSION C(200)
ICUT=3
READ(1,104)XR,ALPHA,BETA,AT
IX=298432767
CALL GAUSS(IX,C,2,5,0,XN)
C(I)=XN
T=FLOAT(I)/10.C
IF(T.LE.AI)GO TO 50
C(I)=C(I)+XK*(T-AT)**ALPHA*EXP(-1.*(T-AT)/BETA)
50 CONTINUE
WRITE(3,101)C
WRITE(2,102)C
AI=ALPHA+1.0
GAM=GAM+A(AI)
AREA=XK*BETA**AI*GAM
WRITE(3,103)AREA
XMTT=AT+BETA*AI
SP=BETA*BETA*AI
TP=AT+(AI-1)*BETA
WRITE(104,3)XMTT
WRITE(104,4)S2
WRITE(104,5)CP
WRITE(104,6)TF
STOP
101 FCRMAT(//,10F9.2)
102 FCRMAT(10F8.2)
103 FCRMAT(//,AREA=,F14.6)
104 FCRMAT(4F10.4)
3 FCRMAT(//,MEAN TRANSIT TIME=,F8.2)
4 FCRMAT(//,S SQUARED=,F8.2)
5 FCRMAT(//,PEAK CCNTRATION=,F8.2)
6 FCRMAT(//,PEAK TIME=,F8.2)
END
THIS IS THE IBM SSP SUBROUTINE GAUSS

```

```

SUBROUTINE GAUSS(IX,S*AM,V)
A=0.0
DO 50 I=1,12
CALL RANDU(IX,IY,Y)
IX=IY
50 A=A+Y
V=(A-6.0)*S*AM
RETURN
END
THE IEM - SSP SUBROUTINE R A N D U FOR GENERATING UNIFORM
PSEUDOC-RANDOM NUMBERS
SUBROUTINE RANDU(IX,IY,YFL)
IY=IX*65539
IF(IY)5,6,6
5 IY=IY+2147483647+1
6 YFL=YFL*.4656613E-9
RETURN
END

```

C C

82

PROGRAM FOR FITTING EQUATION 3 TO THE THERMO-DILUTION CURVES

```

DIMENSION C(200)
NAMELIST/1,2/XK,BETA,A1,AREA
COMMON IOUT,ICARD,IWID
THE FOLLOWING PARAMETERS SPECIFY I/O DEVICES
IOUT=3
ICARD=1
IWID=110
NP=200
CORE=0.825
10 READ(ICARD,1,END=50)C
DT=0.1
CALL CAEA(C,NP,DT,CCR,AREA,AT,BETA,X1,XK)
WRITE(IOUT,112)
WRITE(IOUT,2)AREA
XMT=AT+BETA*A1
SPEBETA=BETA*A1
TP=AT*(A1-1)+BETA/2.71828***(A1-1)
WRITE(IOUT,3)XMT
WRITE(IOUT,4)S2
WRITE(IOUT,5)GF
WRITE(IOUT,6)TF
GO TO 10
50 STOP
1 FCPMAT(10,F8.2)
2 FCPMAT(10,AREA=F8.2)
3 FCPMAT(10,MEAN TRANSIT TIME=F8.2)
4 FCPMAT(10,S SQUARED=F8.2)
5 FCPMAT(10,PLAK CONCENTRATION=F8.2)
6 FCPMAT(10,PEAK TIME=F8.2)
END
SLPROUTINE CAEA(C,NP,DT,CCR,AREA,AT,B,A1,XK)
DIMENSION C(NP)
COMMON IOUT,ICARD,IWID
DATA ISP/1H/
DATA ID/1H/,ICC/1HC/,IYY/1HX/
NAMELIST/57/GAM,D,X2Y,X1Y,X12,X2S,X1S,I1,BL
SX1=C.0

```

```

SX2=C.0
X12=0.0
SX15=C.0
DO 10 I=1,10
  SX1=SX1+C(I)
  SX2=SX2+C(I)*C(I)
10  CALL MASTD(SX1,SX2,10,AVG,STD)
    DO 20 I=1,NP
      IF(C(I)-AVG.GT.3.0*STD)GO TO 30
      X1=SX1+C(I)
      X2=SX2+C(I)*C(I)
20  CALL MASTD(SX1,SX2,I,AVG,STD)
30  IF(C(I)-AVG.LE.STD)GO TO 50
40  IF(J=1)
      J=J+1
      SX1=SX1-C(J)
      GO TO 40
50  IF(J
      PL=PXIVFLOAT(J)
      X1=0.0
      X2=0.0
      X25=0.0
      X12=0.0
      X1Y=C.0
      X2Y=0.0
      SY=0.0
      SW=0.0
      ISTART=I+1
      DO 60 I=ISTART,NP
        X12=X12+DI
        X1I=ALCG(X12)
        BCBC=C(I)-HL
        YI=ALCG(ABS(BOEO))
        WYI=YI
        SX1=SX1+X1I*W
        SX15=SX15+X1I*X1I*W
        SX2=SX2+X12*W
        X25=SX25+X12*X12*W
        SX12=SX12+X1I*X12*W
        X1Y=SX1Y+X1I*YI*W
        SX2Y=SX2Y+X12*YI*W
        SY=SY+YI*W
        SW=SW+W
60  CCNT=INUE
      X15=SX15-SX1*SX1/SW
      X25=SX25-SX2*SX2/SW
      X12=SX12-SX1*SX12/SW
      X1Y=SX1Y-SX1*SY/SW

```

```

X2Y=SX2Y-SX2*SY/SW
D=X1S*X2S-X12*X2
ALPHA=(X2S*X1Y-X12*X2)/D
B=-D/(X1S*X2Y-X12*X1Y)
XMU=(SY-ALPHA*SX1+X2/B)/SW
XK=EXP(XMU)

```

CC COMPUTE CARDIAC OUTPUT

```

A1=ALPHA+1.0
GAM=GAMMA(A1)
WRITE(3,L57)
AREA=GAM*XK*(B*A1)

```

CC PLOT RESULTS

```

DC 2 I=1,110
IFLGT(I)=ID
AT=I*DT
E=0.0
AX=0.0
DG 4 I=1,NP
C(I)=C(I)-BL
AX=AX+AXI(AX,C(I))
WRITE(LOUT,7)
T=0.0
IW=I*ID-14
PSC=FLOAT(IW)/AX
DC 3 I=1,NP
T=DT+T
IF(T.LE.AT)GO TO 35
T=T-AT
E=XK*(T**ALPHA)*EXP(-T/B)
T=T+AT

```

CC IF I.C+E#PSC

```

IF(I.G.GT.IW)IC=IW
IY=I.C+C(I)*PSC
IF(IY.GT.IW)IY=IW
IF(IY.LT.1)IY=1
IFLCT(IC)=ICC
IFLCT(IY)=IY
WRITE(LOUT,8)E,C(I),(IPEOT(J),J=1,IW)
IFLOT(IC)=ISP
IFLOT(IY)=ISP
CC CONTINUE

```

CC RETURN

```

7 FCFORMAT(1,1)PLOT OF ORIGINAL AND EXTRAPOLATED CURVE --X# ORIGINAL
PLOT OF OBSERVED DATA

```

CC

```
8 FCRMAT( ,2F7.2, ,1, ,101A1, ,1)
END
SUBROUTINE MAS10(SX1, SX2, N, AVG, STD)
AVG= SX1/FLOAT(N)
STD=SQRT((SX2-SX1*SX1/FLOAT(N))/FLOAT(N-1))
RETURN
END
```

3

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